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### **Aerodynamic Design and Test Results of Front Fans**

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# Aerodynamic Design and Test Results of Front Fans\*

By Shoichi FUJII\*\*, Hideo NISHIWAKI\*\* and Mitsuo GOMI\*\*

## SUMMARY

Full scale front fans were designed and tested with satisfactory results. The flow field in passing through the fans was estimated with a powerful method called streamline-curvature technique, and the first test-program was carried out in equipping the rotor blade row without snubbers (part-span shroud) and the second conducted with them. A comparison of both experimental data enabled the flow behavior and aerodynamic characteristics to be visualized under these two different inlet conditions.

## NOMENCLATURE

B.P.R.	bypass ratio	$r_c$	radius of curvature of meridian projection curve, $m$
$c$	chord length	$R$	gas constant
$c_1$	constant determined by continuity	$S$	entropy
$c_p$	specific heat at constant pressure	$T$	static temperature
$D$	diffusion factor	$U$	uniform velocity or peripheral speed
$G$	weight flow	$U_p$	axial velocity with shroud removed
$g$	acceleration of gravity	$V$	velocity
$H$	total enthalpy	$VR$	axial-velocity ratio across a blade row
$\bar{H}$	Pitot tube calibration constant	$Z$	$z/r_t$ =(abscissa along axis of center body)/(tip radius)
$H_z$	shape factor in axial direction	$V$	velocity vector
$i$	incidence angle	$\nabla$	gradient
$J$	mechanical-to-thermal energy conversion factor	$\lambda$	angle between meridional velocity, $V_m$ and axial velocity, $V_z$
$J_n$	first kind Bessel function of $n$ th order ( $n=0, 1, 2, \dots$ )	$\rho$	density
$j_n$	roots of $J_1(j_n)=0$	$\kappa$	ratio of specific heats
$K$	constant used for evaluating deviation angles	$\bar{\omega}$	total pressure loss coefficient
$M$	Mach number	$\sigma$	solidity
$m$	streamline projected on a meridian surface	$\psi$	stream function
$m_0$	strength of point source	$\pi$ or $\pi_0$	total pressure ratio or the ratio of the circumference to its diameter
$(n, m)$	(station number, radial point)	$\theta/c$	loss parameter
$N/N^*$	(Corrected rotative speed)/(Designed rotative speed)	$\alpha$	absolute flow angle
$P(r)$	function of radius, $r$	$\beta$	relative flow angle
$p$	static pressure	$\delta^*$	displacement thickness
$P$	total pressure	$\theta$	momentum thickness
$Q(r)$	function of radius, $r$	$y$	radial coordinate, the origin being the point at which the snubber wake begins
$(r, \theta, z)$	cylindrical coordinate system	$\nu$	radius ratio ( $r/r_t$ )
		$\delta$	deviation angle
		$\epsilon$	turning angle
		$\eta$	adiabatic efficiency

\* Received December 21, 1971

\*\* Aero-Engines Division

**Subscripts**

<i>i</i>	inlet to a blade row
<i>l</i>	left side
<i>r</i>	radial direction or rotor or right
<i>s</i>	stator
<i>m</i>	meridian
<i>n</i>	$n=1, 2, 3, \dots$
<i>T</i>	traverse
<i>t</i>	tip
<i>h</i>	hub
des.	design
<i>z</i>	axial direction
0	stagnation or station upstream inlet strut
1	before rotor blades
2	behind rotor
3	behind stator blades
$\theta$	circumferential direction
$-\infty$	infinitely upstream
or	orifice

**Superscripts**

'	relative
*	design or displacement

**INTRODUCTION**

Most of modern jet engines have been equipped with front fans, mainly because of necessity of raising the mass flow rate which can be converted into the engine thrust and, in turn, of obtaining a better propelling efficiency.

Therefore, a component research regarding the front fan had been put forward. The full scale front fans having 940 mm inlet diameter were then designed and tested in order to pursue investigations into both aspects of aerodynamic and mechanical design technology.

As to the aerodynamic design, there were several problems yet to be solved; operation of rotor blades in a high-speed flow: a steep slope in the radial distribution of enthalpy rise across a rotating blade row (which might cause a highly three-dimensional flow): effects of spinner shape and contour on the streamline displacement. Thus, an attempt was made with the aid of a large scale computing facility to incorporate the streamline displacement and curvature terms into the design calculation for evaluating the internal flow movement across each blade row. As another design problem, it was apparently known that snubbers (or sometimes called a part-span shroud) were almost inevitable in the conventional-alloy front fan subjected to a severe inlet distortion. Nevertheless, since we had no reasonable tech-

nique of estimating the effect of snubbers itself on the flow pattern, two fan rotors with and without snubbers were planned and tested, without any additional design consideration taken into the disturbance caused in a flow field due to the presence of snubbers.

The performance comparison for both cases was then carried out in analyzing the detailed experimental data, making use of streamline-curvature computing procedure again for the reduction of the internal-flow survey data. Hence, a new approach was shown to express the local cascade performance along its span, instead of a usual blade-element concept.

Description about the technology of manufacturing a snubbed blade, the measurement record of alternating stresses of rotating blades, and sound level captured in the neighbor of the test vehicle were not presented in this paper, although some structural and aerodynamic considerations on snubber position and shape were given briefly.

**AERODYNAMIC DESIGN****Three dimensional compressible flow-equation**

The equation of motion for the inviscid, steady compressible flow without body-force can be written in a vector form coupling with some thermodynamic relations

$$-\mathbf{V} \times \nabla \times \mathbf{V} = -\nabla H + T \nabla S \quad (1)$$

Applying the cylindrical coordinates system ( $r, \theta, z$ ) to Eq. (1) resolves into scalar forms; as the component of radial direction, we have

$$Jg \frac{\partial H}{\partial r} = JgT \frac{\partial S}{\partial r} + \frac{V_\theta}{r} \frac{\partial(rV_\theta)}{\partial r} + V_z \frac{\partial V_z}{\partial r} - V_z \frac{\partial V_r}{\partial z} \quad (2)$$

Referring to Fig. 1 where a streamline is projected on the plane  $r-z$  as a curve  $m$ , the last

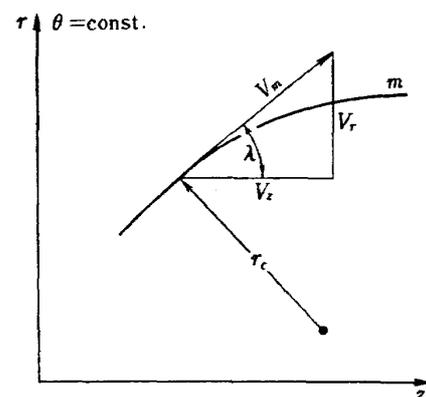


Fig. 1 Axi-symmetric flow

term of right hand side of Eq. (2) is expressed, by making use of the relation  $V_r = V_z \tan \lambda$ ,

$$V_z \frac{\partial V_r}{\partial z} = V_r \frac{\partial V_z}{\partial z} + \frac{V_z^2}{\cos^3 \lambda} \cdot \frac{1}{r_c} \quad (3)$$

The term  $\partial V_z / \partial z$  appearing in Eq. (3) is considered to be of small order except for flow region near a singular point. In addition, since  $V_r$  is much smaller than  $V_z$  in the usual axial turbomachines, Eq. (3) may be approximated such that

$$V_z \frac{\partial V_r}{\partial z} \cong \frac{V_z^2}{\cos^3 \lambda} \cdot \frac{1}{r_c} \left( = V_z^2 \frac{\partial}{\partial z} \tan \lambda \right) \quad (4)$$

Putting Eq. (4) back into Eq. (2) and rearrangement gives

$$\begin{aligned} \frac{\partial V_z^2}{\partial r} - \left\{ \frac{2}{r_c \cos^3 \lambda} + \frac{1 + (dr/dz)^2}{c_p} \left( \frac{\partial S}{\partial r} \right) \right\} V_z^2 \\ = 2gJ \left\{ c_p \frac{\partial T_0}{\partial r} - \left( T_0 - \frac{V_\theta^2}{2gJc_p} \right) \left( \frac{\partial S}{\partial r} \right) \right\} \\ - 2 \frac{V_\theta}{r} \frac{\partial(rV_\theta)}{\partial r} \end{aligned} \quad (5)$$

For convenience, if the coefficients of  $V_z^2$  would be considered as functions of  $r$  alone, we can perform the integration of Eq. (5) to produce

$$V_z^2 = c_1^2 e^{-\int P(r) dr} + e^{-\int P(r) dr} \int e^{\int P(r) dr} Q(r) dr \quad (6)$$

where

$$P(r) = - \left\{ \frac{2}{r_c \cos^3 \lambda} + \frac{1 + (dr/dz)^2}{c_p} \left( \frac{\partial S}{\partial r} \right) \right\} \quad (7)$$

$$\begin{aligned} Q(r) = 2gJ \left\{ c_p \frac{\partial T_0}{\partial r} - \left( T_0 - \frac{V_\theta^2}{2gJc_p} \right) \left( \frac{\partial S}{\partial r} \right) \right\} \\ - 2 \frac{V_\theta}{r} \frac{\partial(rV_\theta)}{\partial r} \end{aligned} \quad (8)$$

and the constant  $c_1$  is determined by the condition of continuity\*

$$G = 2\pi \int_{r_h}^{r_t} g\rho V_z r dr \quad (9)$$

As Eqs. (7) and (8) stand, expression of partial derivatives with respect to  $r$  such as  $\partial S / \partial r$ ,  $\partial T_0 / \partial r$ , etc. are seen. This fact means that the effect of the derivatives with respect to  $z$  such as  $\partial S / \partial z$ ,  $\partial T_0 / \partial z$ , etc. on the computed profile of  $V_z$  should be taken into consideration as well as the influence of the derivatives with respect to  $r$ . The streamline curvature technique will be then one of most powerful calculation methods in the situation treated herein.

\* If the lower limit of the integral of Eq. (6) is taken as  $r_h$ ,  $c_1$  represents physically the axial velocity at  $r = r_h$ .

### Streamline curvature technique

The desire to incorporate the streamline movement into the analyses of flow in turbomachines would be realized, to some extent, by a method called streamline curvature technique. In actual computation, however, the streamline shape is determined by connecting finite points which are assumed to be lying on a streamline\*\*. Therefore, the streamline curvature method will not give the 'exact' evaluation of streamline shape but the approximate estimation of streamline displacement at finite points, and hence the connection of these points yields the curvature which may directly relate to the evaluation of the term  $1/r_c$  in Eq. (7).

Several methods of generating streamline from the connection of points were discussed in the literature [1]~[3]\*\*. Among these methods, some comparisons of two fitting curves, that is, spline-fit [4] and least-mean-squares were made in our design problem. As a result, the approximate nature of spline-fit was not always applicable to solution on the digital computer. On the other hand, the least-mean-squares curve with six order terms, connecting 9~15 points, had a reasonable character of fitting curve from the authors' experience [5]. The practical procedure for designing the front fans is then described in the following.

As shown in Fig. 2, the calculation stations from 1st to  $n$ th were placed in the axial direction, and then the points used for defining streamline were radially chosen from 1st to  $(m+1)$ th at every station. At the beginning, in fact, every point was located in a distance giving the equal annulus area between suc-

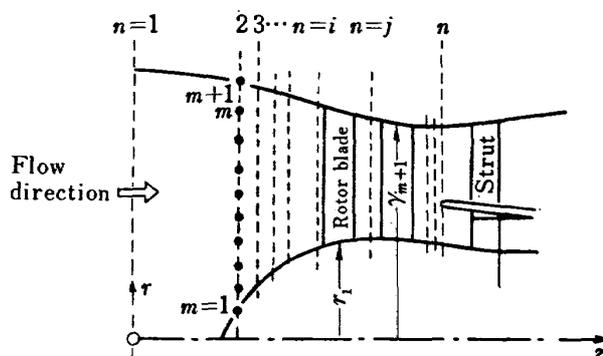


Fig. 2 Calculation stations

\*\* The word 'streamline' hereafter is equivalent to the meridional projection curve  $m$  in Fig. 1.

\*\*\* Numbers in brackets designate References at end of paper.

cessive two points. In addition, it was assumed that the location of the points at the first and last ( $n$ th) stations was not subjected to change during the relocation process of other points situated at stations from 2nd to ( $n-1$ )th. Moreover, it was postulated that  $V_\theta=0$ ,  $\partial S/\partial r=0$  and  $T_0=\text{const.}$  in the region before the rotor blade row. For the station between the rotor and stator, the following simultaneous equations were utilized to obtain the values of  $V_\theta$ ,  $\partial S/\partial r$  and  $T_0$  by use of the estimated loss-coefficient  $\bar{w}$  and expected total pressure ratio  $\pi_0$  along a radius,

$$\bar{w} = \left[ 1 + \frac{\kappa-1}{2} \cdot \frac{U^2}{\kappa g R T_0} \left\{ 1 - \left( \frac{r_i}{r} \right)^2 \right\} \right]^{(\kappa/\kappa-1)} \times \left[ \frac{1 - \pi_0 (T_0/T_{0i})^{(\kappa/\kappa-1)}}{1 - \left( 1 + \frac{\kappa-1}{2} M_i'^2 \right)^{(\kappa/\kappa-1)}} \right] \quad (10)$$

$$V_\theta = \frac{J g c_p}{U} (T_0 - T_{0i}) \quad (11)$$

$$\left( \frac{J}{R} \right) \frac{\partial S}{\partial r} = \frac{\partial}{\partial r} \ln \frac{(T_0/T_{0i})^{(\kappa/\kappa-1)}}{\pi_0} + \left( \frac{J}{R} \right) \frac{\partial S_i}{\partial r} \quad (12)$$

where suffix 'i' denotes the condition before a blade row. It is noted that the loss and work relationship, Eq. (10), contains the term  $(r_i/r)^2$  representing the radial displacement of streamline across the blade row. To the flow leaving from the stator blades, Eqs. (10), (11) and (12) are also applicable by equating  $M_i' = M_1$  (absolute Mach number entering stator) and  $T_{0i} = T_0$  (no temperature rise).

Thus, the first calculation of determining flow condition at every point assigned from stations  $n=2$  to  $(n-1)$  was made by use of the least-mean-squares curve fitting the points and also of Eqs. (6)~(12). And then the new location of the points for use in defining the streamline was referred to  $r_{N+1}$  by satisfying the continuity condition such that

$$N \left( \frac{G}{m} \right) = 2\pi \int_{r_1}^{r_{N+1}} \rho g V_z r dr, \quad (N=1, 2, \dots, m) \quad (13)$$

where  $r_1$  and  $r_{m+1}$  giving the location of points along upper and lower boundaries were not changed. The similar procedure was carried out until the relocation of all points defined by  $r_{N+1}$  became insensitive to the iterative process. In Fig. 3 is shown an example of converging process of  $r_{N+1}$  at the inlet station of rotor blades for the value of  $n=15$  and  $m=20$  in the case of 6th order least-mean-squares. It is seen that iteration over about fifteen cycles gave the reasonable convergence.

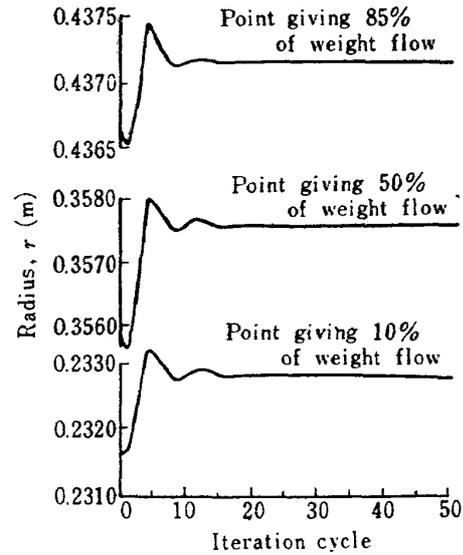


Fig. 3 Convergence of points defining streamline at rotor inlet station by computing cycles

In the Appendix A is described a comparison between the streamline curvature method and the exact solution made for the incompressible flow around a point source in an infinitely long duct of constant diameter.

#### Design philosophy

A series of the investigations of designing full scale front fans had started early in 1967. Based on the aerodynamic design technology concerning the transonic single and multi-stage-compressors which we had already finished testing at that time [6], [7], the velocity triangle and blading were selected. The inlet guide vanes were not installed in order to remove the noise generated by an interaction of shedding wakes from guided vanes with rotor blades. One of the most important factors we must have decided was 'Mach number' relative to a tip section of rotor blades. In general, the permissible Mach number would serve as playing an important role in prescribing the possible target performance such as a pressure ratio, mass flow rate, rotational speed, etc. Therefore, it was concluded from preliminary calculation that some conflicting factors accompanied with increasing Mach number might be expected to be compromised if the tip Mach number were within a value of approximately 1.25. On the other hand, the Mach number entering the stator blades was designed so as to be below the critical Mach number along the whole blade height because of our empirical fact that a combination of transonic rotor blade row with subsonic stator vanes would have a tendency to give a

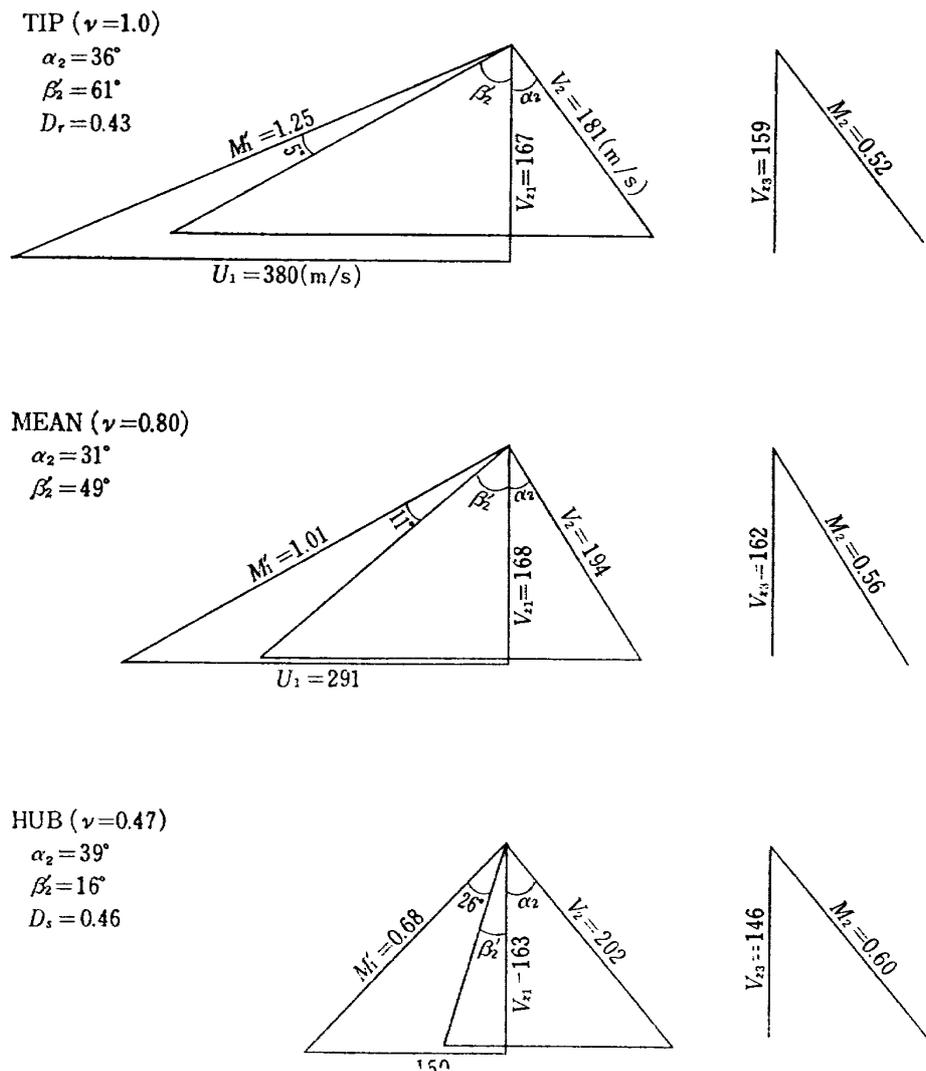


Fig. 4 Velocity triangles for the fan without snubbers

better performance, in comparison with high subsonic stator. Along with this line, the blade profiles were selected such that the double-circular-arc blade (D.C.A.) be for the rotor, the NACA 65-series-blade for the stator.

A mass flow rate and bypass ratio were mainly determined to meet the performance criteria of an actual engine which was planning to be equipped with the front fan investigated here, also considering capacity of the test facility for the fan component research.

Although the snubbers or part-span shroud were obviously necessary for practical use of the front-fan blades made of titanium alloy, there was no definite method for evaluating the effect of them on the aerodynamic performance. As a basis for obtaining further information about the snubbed blade design, therefore, the study program had been divided

into two steps. The purpose of the first step was to determine the aerodynamic characteristics of the front fan without snubbers. The second was aiming at the test of the front fan with snubbers. The same test vehicle was utilized for both cases. The rotor blades with snubbers differed from those without snubbers in the number of blades and, hence, in the chord length and absolute thickness to satisfy the requirement that both rotor blades should have the same values of aerodynamic parameters such as the solidity, the thickness-chord ratio, and the camber and staggered angles.

The velocity triangles for the tip, mean and hub sections are presented in Fig. 4. Reviewing the experimental results of the reference [6], the root section of rotor blades was carefully designed in order to be operating below the critical Mach number in expectation of avoiding the performance deterioration due to

Table 1 a Rotor blading details

Radial position ( $r/r_t$ )	0.50 (Near hub)	0.70 (Mean)	0.94 (Near tip)
Camber angle (deg.)	18.4	10.3	7.3
Solidity	1.47	1.14	0.98
Stagger angle (deg.)	34.0	46.6	56.2
Thickness-chord ratio	0.069	0.035	0.035

Table 1 b Stator blading details

Radial position ( $r/r_t$ )	0.50 (Near hub)	0.70 (Mean)	0.94 (Near tip)
Camber angle (deg.)	42.2	38.4	41.9
Solidity	1.63	1.34	1.19
Stagger angle (deg)	14.8	13.3	13.4
Thickness-chord ratio	0.070	0.074	0.079

a high speed flow. On the solidity of the rotor tip section, which would relate directly to the magnitude of shock-loss and blade loading, it was imperative to employ the value of 0.90 as the permissible minimum in adjusting the aerodynamic and mechanical demands. We tried to keep the designed axial velocity ratio across a blade row within the value of 1.1~0.9, otherwise a higher or lower axial velocity ratio might involve some inaccuracies in the blading procedure. As shown in the figure the magnitude of  $D_r=0.43$  and  $D_s=0.46$  was settled as the diffusion factor for the rotor tip and stator hub sections respectively.

In the result, the target performance for the fan without snubbers was selected as follows; a mass flow rate to be entered through the fan inlet section having a diameter of 940 mm should be 104 kg/s at sea-level and at a rotational speed of 7770 rpm, with a pressure ratio of 1.34, an adiabatic efficiency of 84 per cent, and bypass ratio of 6.0.

The blading details for the rotor and stator blades are given in the Table 1(a) and (b).

### AERO-AND MECHANICAL CONSIDERATIONS OF THE SNUBBERS

As mentioned before, the aerodynamic parameters of the rotor blades characteristic of solidity, camber angle, maximum thickness to chord ratio and stagger angle were maintained to be equal in both cases with and without snubbers. However, to shorten the blade spacing and hence a distance of snubber over-

hang from the airfoil surface, and also to keep the snubber root bending stress caused by the centrifugal force of the shroud within allowable level, the number of blades was increased from 25 to 33 in the case of the rotor blades with snubbers. Accordingly the aspect ratio increased from 2.65 to 3.50. Furthermore, the system supporting rotor-blades at the disk was changed from pin-jointed one to dove-tail type, corresponding to the change of vibrational movements due to the retaining action of the shroud.

The radial position of snubbers was determined as 64 per cent of blade span from the blade root so as to minimize the second-order bending mode of blade vibration and to suffice the requirement of enabling every blade of a row to be rotating in the same phase of first-order bending and torsional modes, respectively.

It is easily supposed that a thicker snubber will disturb the oncoming flow, make the blocked area and involved loss larger compared to thinner one. On the other hand, it should be understood that the bending stress at the snubber root will decrease in inverse proportion to a square of the thickness. Compromising these conflicting factors of aerodynamic and mechanical stipulation, then the absolute snubber thickness was chosen as 6.0 millimeter which would be equivalent to 2.5 per cent of mechanical annulus blockage, and the width selected as 40 per cent of the rotor-blade chord length that would amount to 20 per cent in the ratio of thickness to width. Both leading and trailing edges of snubbers were simply rounded getting a wider working range of the flow incidence angle due to the change of oncoming flow condition.

As a result, the gross weight of rotating parts with snubbed blades was reduced remarkably, compared to the case without snubbers. The adoption of higher aspect ratio (short chord-length) and much lighter root-joints was apparently the main source for such a weight reduction.

### EXPERIMENTAL APPARATUS

A schematic drawing of the test facility is shown in Fig. 5. The test vehicle was driven by a gasturbine installed at the Aero-Engines Division of the National Aerospace Laboratory. The atmospheric air coming through an inlet silencer was led to the bellmouth of the fan to be tested. The compressed air in pass-



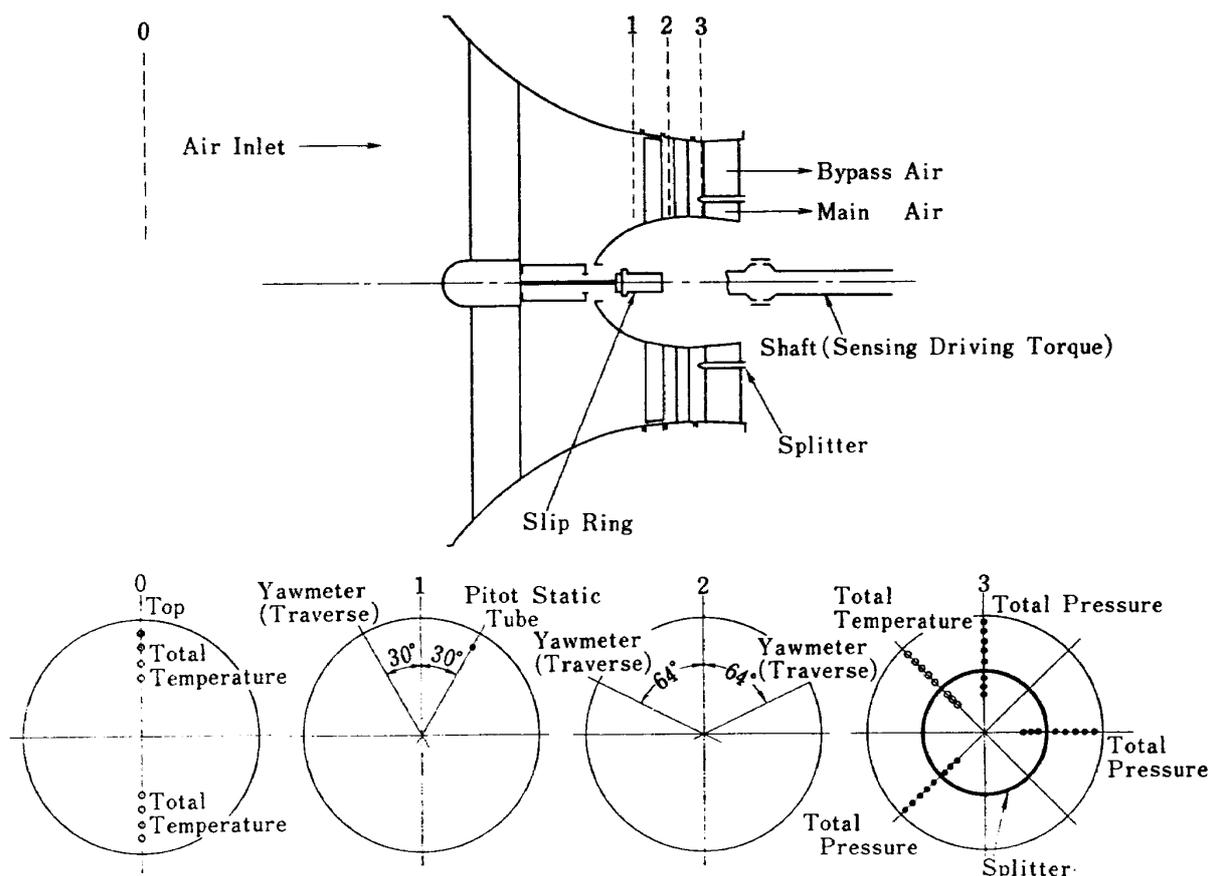


Fig. 6 Radial survey positions

height were assumed to be obtainable from using the read of another Pitot-static tube fixed at 61 millimeters from the outer wall, together with correlation curves based on the previously traversed data.

In the case of the three-hole yaw probe, the following quantity was defined to obtain the static pressure

$$\bar{H} = \frac{P_t + P_r}{P_0} \quad (14)$$

where  $P_0$  is the total pressure recorded by the probe center hole in balancing the left and right side hole pressure  $P_L$ ,  $P_r$ , respectively, and  $\bar{H}$  is a function of Mach number alone if  $P_L$  is equal to  $P_r$ . Thus the Pitot tube was calibrated carefully in a wind tunnel to get a relation of  $\bar{H}$  and Mach number. In testing the fan,  $\bar{H}$  was easily obtained from the Pitot tube readings and, in combination with total pressure  $P_0$  measurement, gave the static pressure value at the point in question.

At section '2' located in approximately 20 mm downstream the rotor, the flow direction, total and static pressures were traversed in some detail by the same procedure taken in the inlet section '1', with special reference to the flow leaving from the rotating blades at

high rotational speeds.

In determination of total pressure and temperature after the stator blade row, four of eight struts at section '3' were utilized for mounting the probes; one strut used for the thermocouple probes and three struts for total pressure holes. The circumferential position of these three struts relative to the stator blade was selected by taking account of the predicted flow variation occurring in one stator pitch. It was assumed that a linear interpolation between two static pressure-tap readings at both outer and inner walls gave the static pressure distribution along the blade span at section '3'.

All thermocouples including those used for measuring the mass flow at the orifices were calibrated in a constant temperature oil of a portable bath tub, maintaining that relative position of thermometer probes and their connecting lines was the same in calibration as in testing the fan. Furthermore, to assist the measurement accuracy concerning the overall adiabatic efficiency, a driving torque was measured through the angle of twist produced in a predetermined length of the torsional shaft coupling the test vehicle with the driv-

ing shaft of the gasturbine. It was confirmed in the calibration that the torquemeter used here had a capacity of measuring range up to 500 kg-m and of maximum rotating speed 9000 rpm.

The rotative speed of the fan was counted on a digital meter making use of the pulse signal generated at a running gear in a magnetic field of a small box which was mounted on the rotating shaft of the gasturbine. During the operation of the fan, the monitor of stress level of a vibrating blade was successfully made by the output which strain gauges

on the airfoil surface produced through a slip ring with maximum allowable alternating stress of 40 kg/mm<sup>2</sup> at the blade root.

### EXPERIMENTAL RESULTS

#### Over-all performance

The performance map is indicated in Fig. 7 where the over-all weight flow means the summation of the bypass and main flows measured at the orifices. The characteristics of total pressure ratio and adiabatic efficiency versus mass flow are shown with rotative

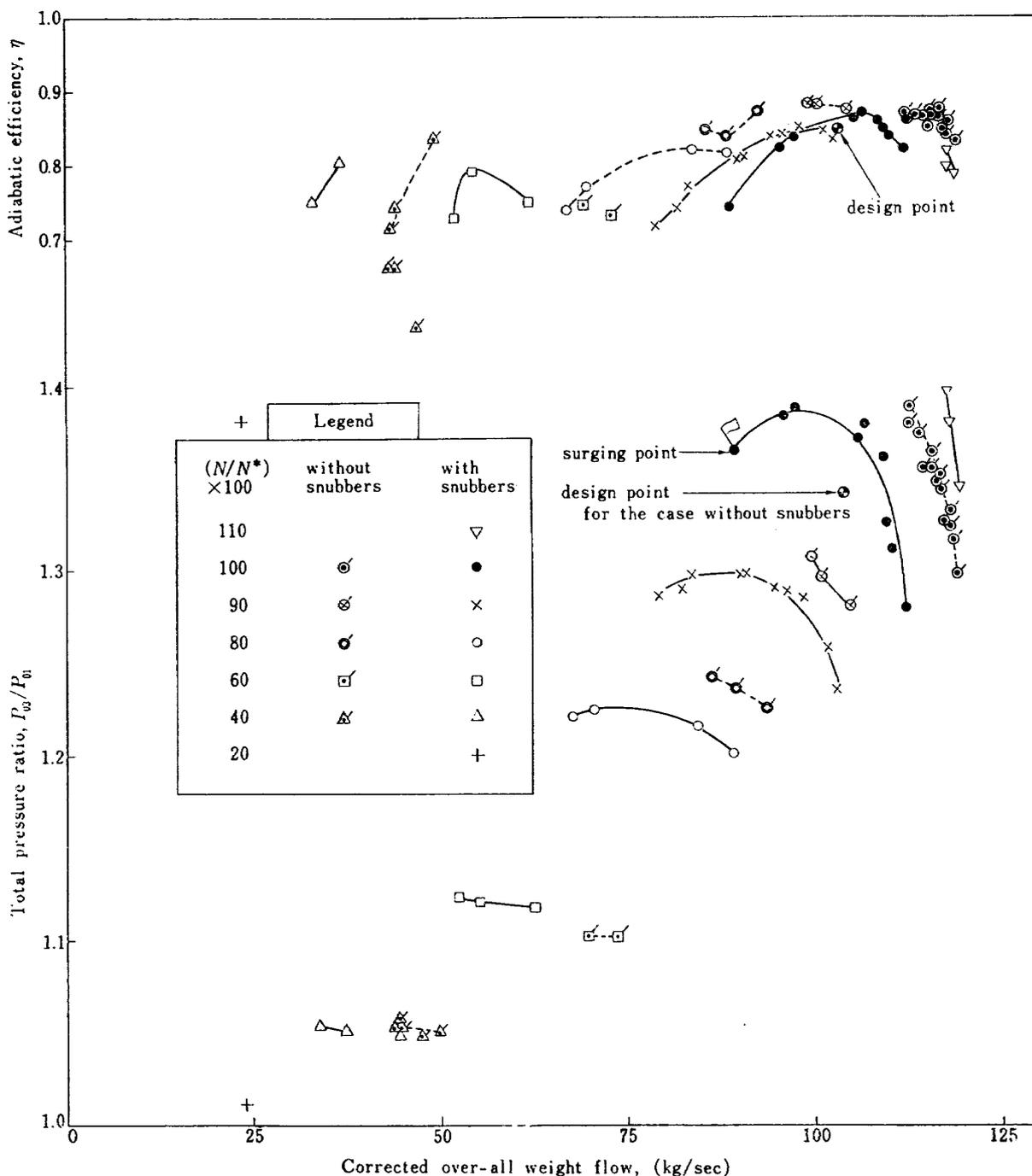


Fig. 7 Over-all aerodynamic performance

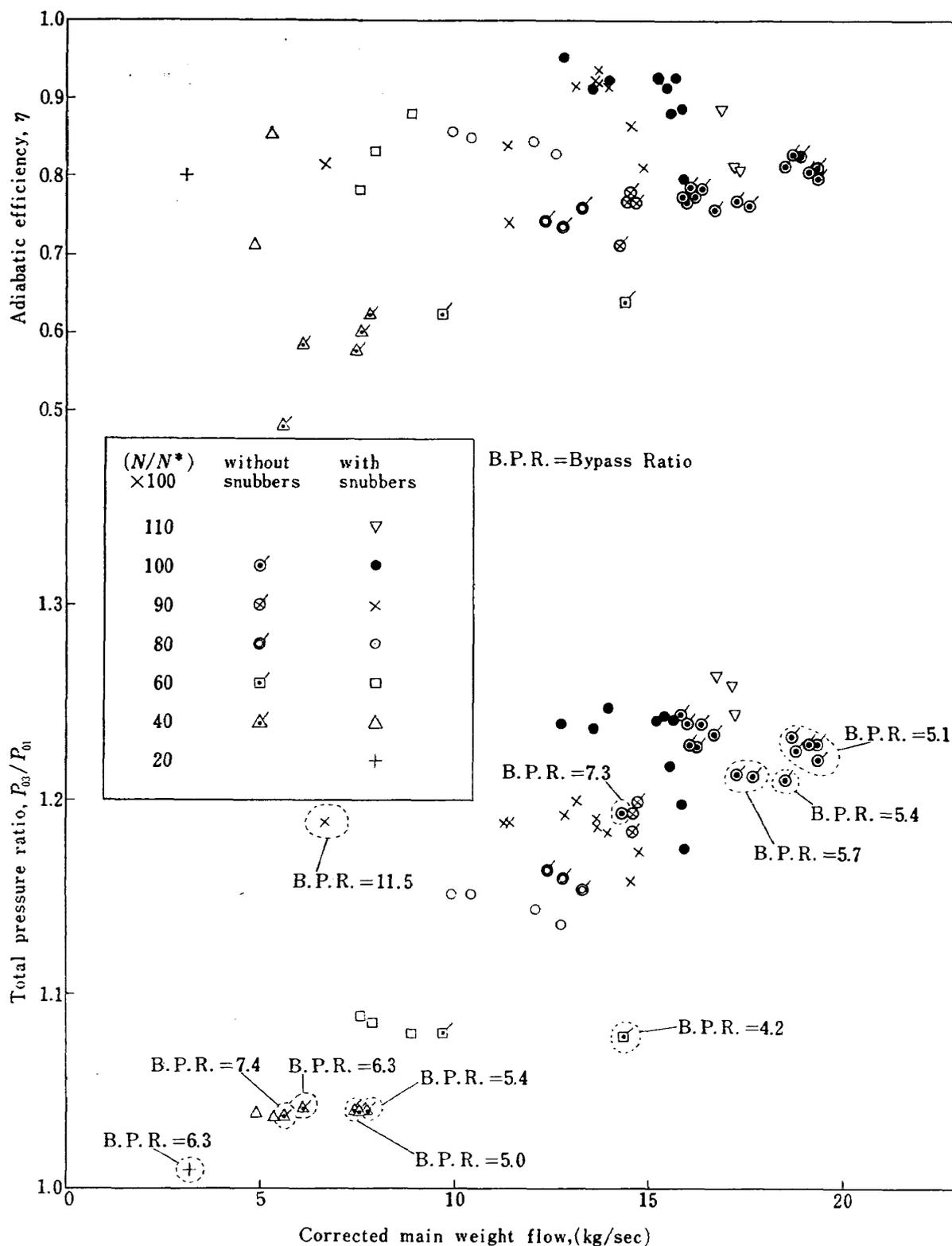


Fig. 8 Main-flow characteristics

speed ratio  $N/N^*$  as a parameter; the data measured within a fluctuation of 0.5 per cent in the assigned rotative speed ratio were plotted. All data except for several points belong to the operating condition of the bypass ratio ranging from 5.90 to 6.10. The total pressure was defined as a ratio of the arith-

metical mean value over 24 measured total pressure at the exit struts to the inlet total pressure just in front of rotor blade row. Generally the adiabatic efficiency was based on the evaluation of using the temperature and pressure data, and was subjected to some correction and adjustment which could be made

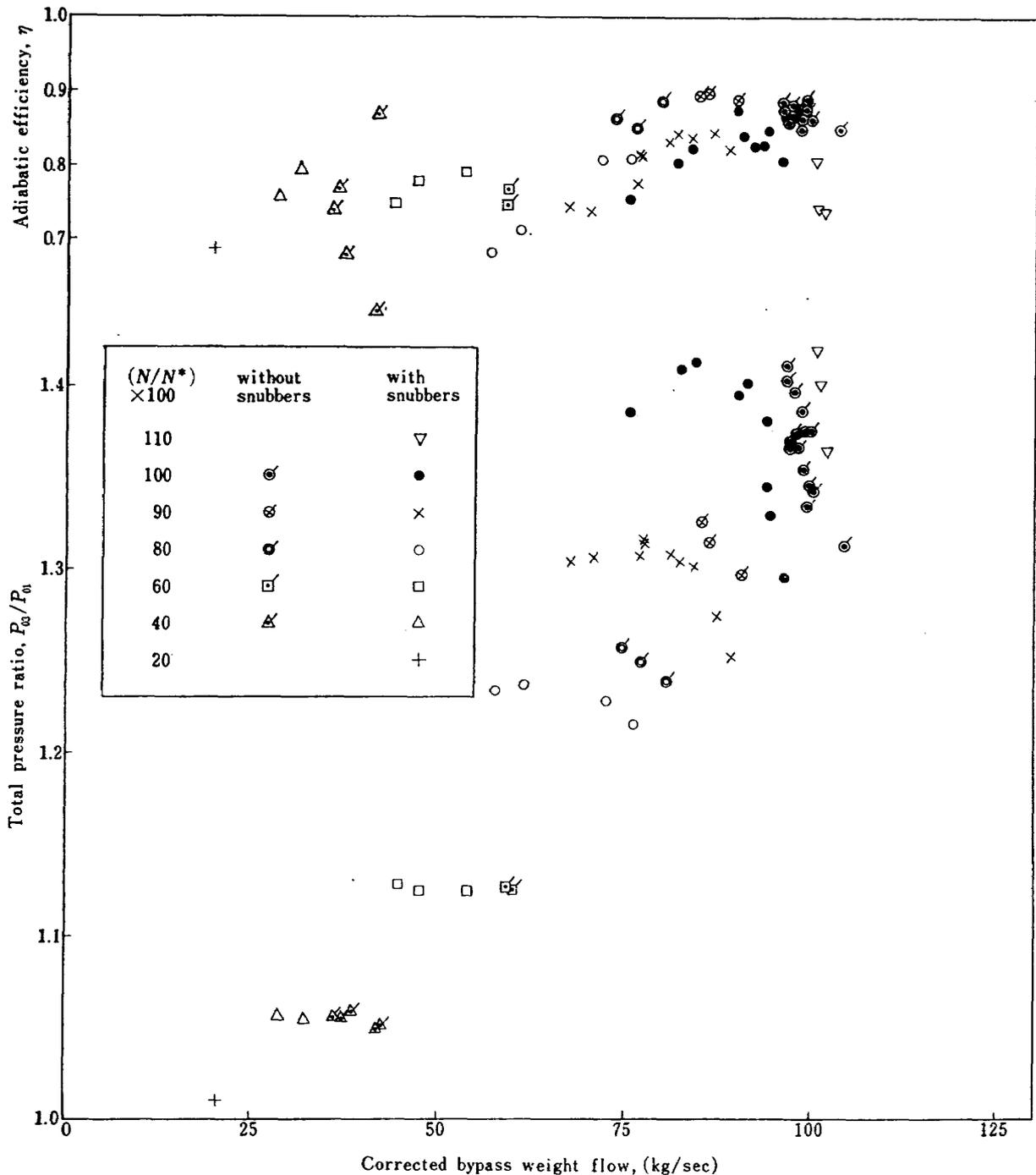


Fig. 9 Bypass-flow characteristics

with the aid of the torque measurement. The experimental data for the case without snubbers were limited; any data were not shown in the region near surge line because no operation of the fan was made in fear of the blade damage due to stall. On the other hand, in the case with snubbers, complete data for one surging point could be obtained at the designed rotative speed ratio with very small risk of damaging blades. However, further tracing of surge points at other rotational speeds was abandoned in order to avoid the repeating risk.

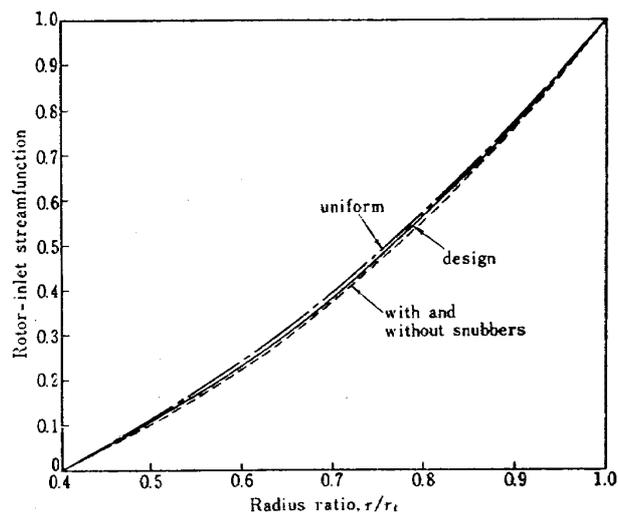
Comparing two cases with and without snubbers, the effect of them on the aerodynamic characteristics was clarified in terms of adiabatic efficiency, mass flow rate and total pressure ratio. For instance, there occurred approximately 7 per cent decrease of mass flow rate and an efficiency drop of almost 2.5 per cent at the designed rotational speed. Furthermore, also with snubbed blades, an over-speed operation exhibited another drop of efficiency. It is of interest to note that, for both cases, the measured data of pressure ratio versus mass flow showed considerably

higher values in comparison with the design point estimated for the no snubbed fan. The main source of this discrepancy will be discussed in the next internal flow section. No appreciable effect of snubbers could be seen on the overall performance map for lower rotational speeds, along with inherent inaccuracies in the adiabatic efficiency measurement.

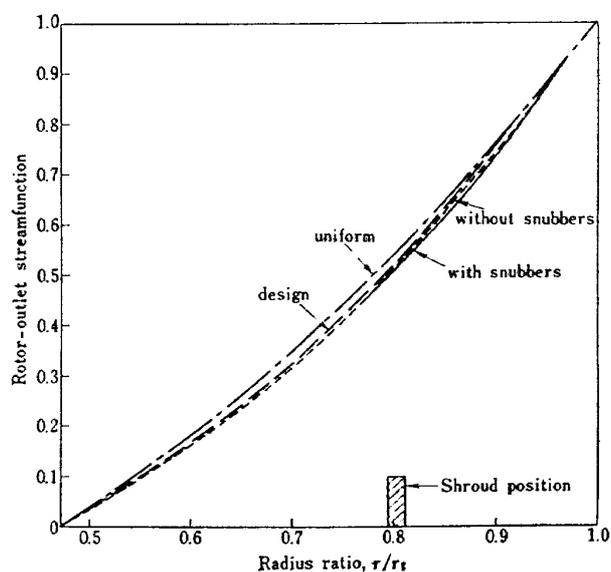
To clarify the effect of the variation of a ratio of bypass to main flow on the performance characteristics, the over-all map was split into two diagrams of Figs. 8 and 9 representing each performance of the bypass and main flow sides. The operating point having the bypass ratio of well below and above the value of 6.0 was circled to indicate the bypass ratio (denoted as B.P.R.) in Fig. 8. The characteristic curve for the main flow was more influenced by the variation of bypass ratios than that for the bypass flow because the amount of main flow had a small share in the gross weight. The fact that the adiabatic efficiency for the main flow was lower in the no snubber case, contrary to our expectation, would be of most interest and hence will be discussed later in the next section from the internal-flow point of view.

#### Internal flow analyses

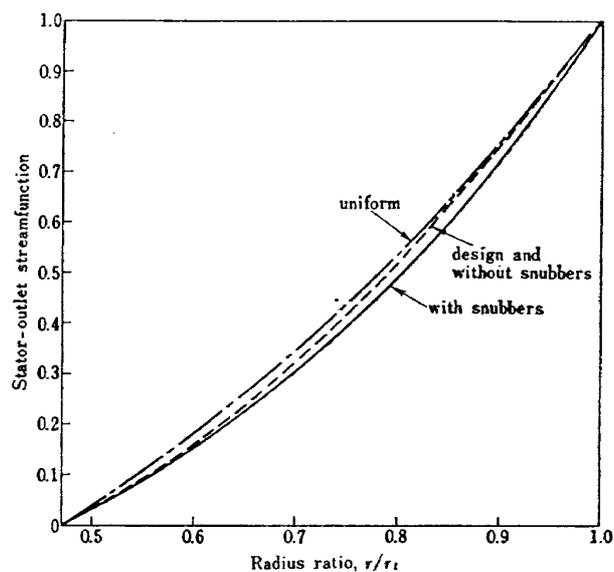
The flow behavior between blade rows and blade local performance thereby were obtained from the detailed survey data. The concept of streamline approach still remained in the data process to indicate the blade local characteristics more accurately in the flow region where a large amount of streamline displacements was observed. In other words, the blade element performance as a well-known technical term appeared to be of questionable expression because the usual treatment of blade element would be based on the assumption that a given streamline across a blade row be constant during any operation of a turbomachine. For example, Figs. 10 (a), (b) and (c) show the measured streamline distributions obtained from the survey data at each section, in the form of local weight flows divided by gross weight flow, where a comparison of the designed and uniform flow distributions also was made. The disturbance action of the snubbers reflected in upward radial flows at blade sections above them, Fig. 10 (b) and extended in almost whole blade span as the upward radial displacement of streamlines behind the stator blades, Fig.



(a)



(b)



(c)

Fig. 10 Distribution of stream functions along hub-to-tip ratio

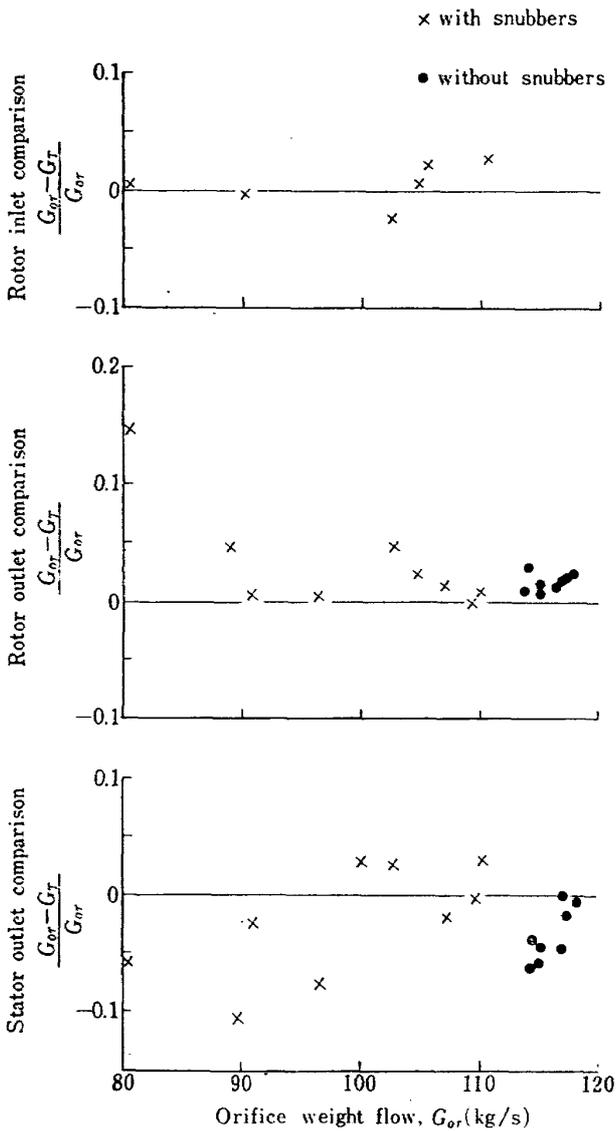


Fig. 11 Comparison of integrated and orifice flows

10 (c). Although not presented in a diagram, another streamline displacement due to the change of, say, incidence angles was also observed.

To determine the internal flow behavior the traversing data were gathered at approximately 10 points of high-speed operation of the test vehicle for both cases respectively. As one of the methods for evaluating the reliability of the measured data, comparisons of the integrated weight flows at the blade inlet, outlet measuring stations with the values measured at the orifices are presented in Fig. 11. The majority of the integrated flows at each section was well within  $\pm 5$  per cent of the orifice measured flows. Since no detailed traversing was made in front of the rotor blades without snubbers to eliminate the risk attending a dangerous contact of vibrating blades with the yaw probe, the correction curve was used to determine the inlet flow condition, as stated in the chapter of the instrumentation.

In traversing the snubbed rotor outlet section '2', approximately 17 points along the blade height were selected as the position to be measured; traversed at 2.0 mm intervals for the wake influenced region due to the snubbers; at almost 20 mm intervals for the other. While, in the flow field after the rotor without snubbers, the yaw probe was usually read at 5 points having about 40 mm intervals along the blade span.

The survey raw data about the total pressure, flow angle and absolute resultant Mach

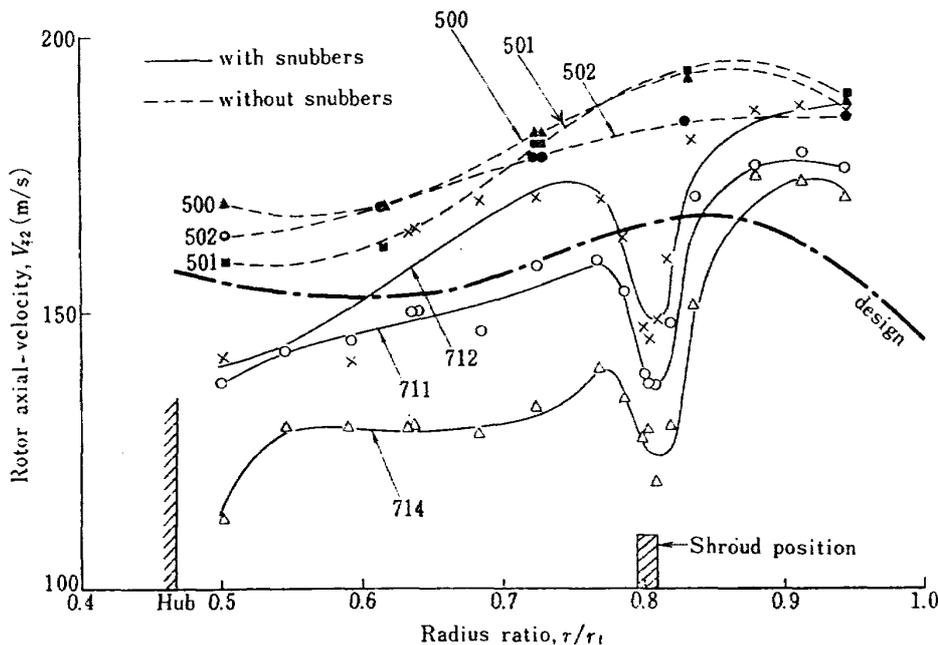


Fig. 12 Axial-velocity distribution

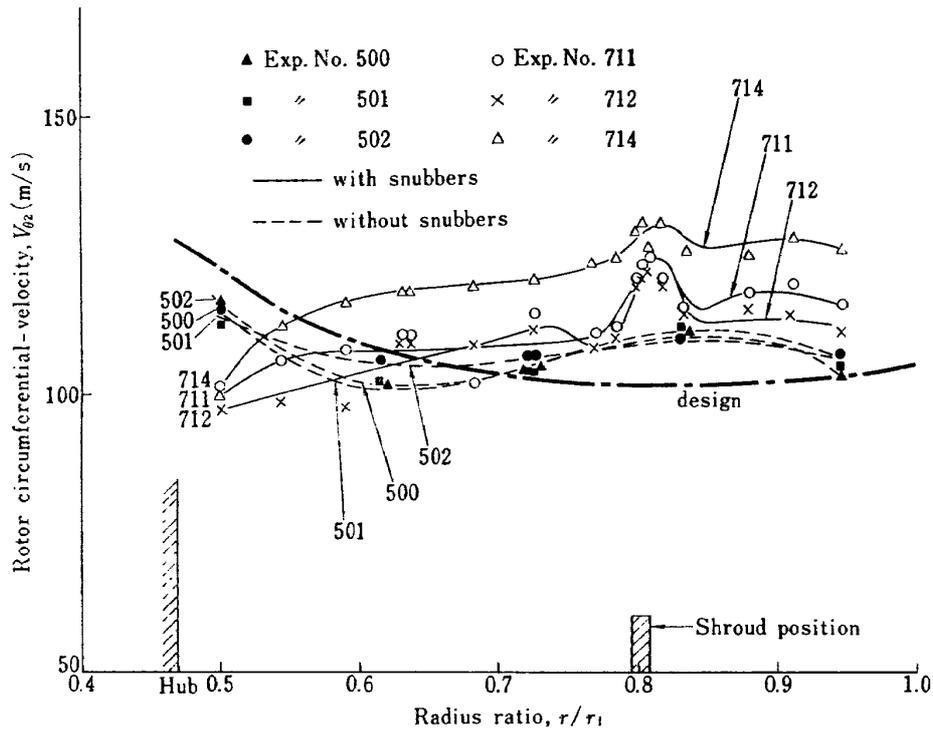


Fig. 13 Circumferential velocity distribution

Table 2 Experiment numbers chosen to illustrate the radial distribution of the survey data

Experiment No.	Over-all weight flow (kg/s)	Pressure ratio	Rotative speed ratio (%)	Bypass ratio	
without snubbers	500	117.8	1.350	101.3	6.312
	501	116.0	1.354	100.4	6.188
	502	114.9	1.353	99.3	6.103
with snubbers	711	106.9	1.377	100.6	5.915
	712	109.5	1.359	100.4	5.991
	714	96.6	1.384	98.7	5.882

number were, interpolated by use of the least-mean-squares curves with 3rd or 4th order or combination of 3rd and 4th order depending on the situation. Therefore, both the interpolated curve and survey data themselves were utilized to reduce the measured data for obtaining the flow behavior and local blade characteristics

To some extent, each component of the measured velocity will reflect the flow movement between blade rows. Thus, typical three cases of test data and their interpolated least-mean-squares curves respectively for the both fans were chosen to show the radial variation of axial and tangential velocities at the rotor outlet in Figs. 12 and 13. The explanation of the designate experiment numbers is given in

the Table 2. The distribution of the measured and prescribed velocities was very similar for no snubber case. On the contrary, the disturbance caused in a velocity field was not confined to a small portion influenced by wakes shedding from snubbers, but extended over the whole blade span. Especially the peak value of tangential velocity of Fig. 13 appeared at the radial position corresponding to the upper surface of snubbers and towards hub section the tangential velocity remarkably decreased. The rotor blade turning angle distributions shown in Fig. 14 indicate that the presence of snubbers disturbed the turning angles even in the hub region. Note that in presenting the angle the survey data themselves could not be plotted because they had

no definite meaning in a flow field attended with unpredictable streamline displacement. The rotor turning angles as it is generally defined will fully depend on the relative angles before and behind the blade row, and hence on the streamline displacement across the blades. Then the least-mean-squares curve representative of turning angles was obtained by a subtraction of inlet and outlet relative angles placed on the same streamline across the blade row, making use of the corresponding interpolated curves.

The relationship of deviation, incidence angles and relative Mach number at three radial positions is presented in Figs. 15 and 16. The deviation and incidence angles were based on the calculation of using the inlet, outlet angles measured and the blade angle tangent to the mean camber-line of airfoil at the leading and trailing edges. In addition, the correction of axial velocity ratio across the blade row was made in the deviation angles

by the relation  $(\delta - \delta_{des.})_{corr} = -K(VR - VR_{des.})$ , where  $VR$  is the ratio of inlet to outlet measured axial-velocity and the value of constant  $K$  was selected as 10 degrees according to the experimental result of Pollard and Gostelow [8]. The values thus corrected are the deviation angles that would be realized if the flow passed the rotor blade row in the designed axial-velocity ratio,  $VR_{des.}$ . As indicated in Fig. 15 the measured deviation angles at the near root section was higher in 2~4 degrees than the designed value within the scattering range of data points for no snubber case. At other sections, however, 3~4 degrees turned out to be lower than the estimation. Even in the snubbed case almost the same trend was seen at all radii except for the near hub section where 6~10 degrees in the deviation angle was higher than expected. Then it was again shown experimentally that snubbers of mid-span had a remarked influence on the deviation angles in the hub regions. On the other hand, from a simple

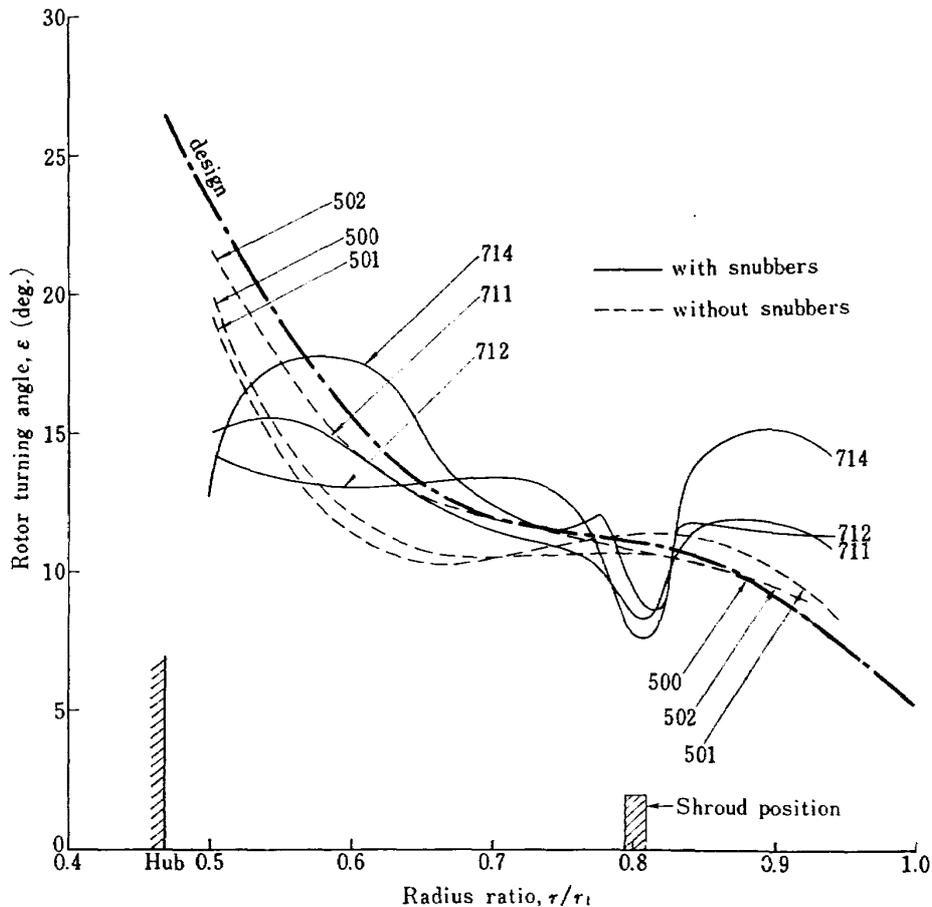


Fig. 14 Turning-angle distribution

computation it was concluded that the untwisted moment acted on the high staggered blade row due to the centrifugal force might be the main source for the low magnitude of deviation angles appeared at mean and tip sections. Apparently the higher values of mass flow and total pressure ratio indicated in the over-all performance map of Fig. 7 were produced by the lower deviation angles than expected, and at the same time it is fairly said that higher deviation angles in hub regions had a great part in the deterioration of aerodynamic characteristics curves of the snubbed fan.

The rotor loss-parameter defined as  $(\theta/c)_r = \bar{w} \cos \beta_2' / 2\sigma$  was plotted against the diffusion factor in Fig. 17. Similar to the procedure

taken for presenting the turning angle diagram, the data reduction of loss-parameter was based on the use of two interpolated curves across the blade row to incorporate the streamline displacement so that the total pressure loss occurring on the same streamline might be treated. Since the values of diffusion factor obtained in the radial survey were not so large, it was not easy to bring the loss parameter into proper correlation with the blade loading. Moreover, typical six experiment numbers were chosen again, corresponding to Fig. 14. to show the radial variation of loss parameter in Fig. 18. The relatively higher value of loss indicated in the experiment number 714 was due to higher incidence angles than the others, looking back to Fig. 16. The

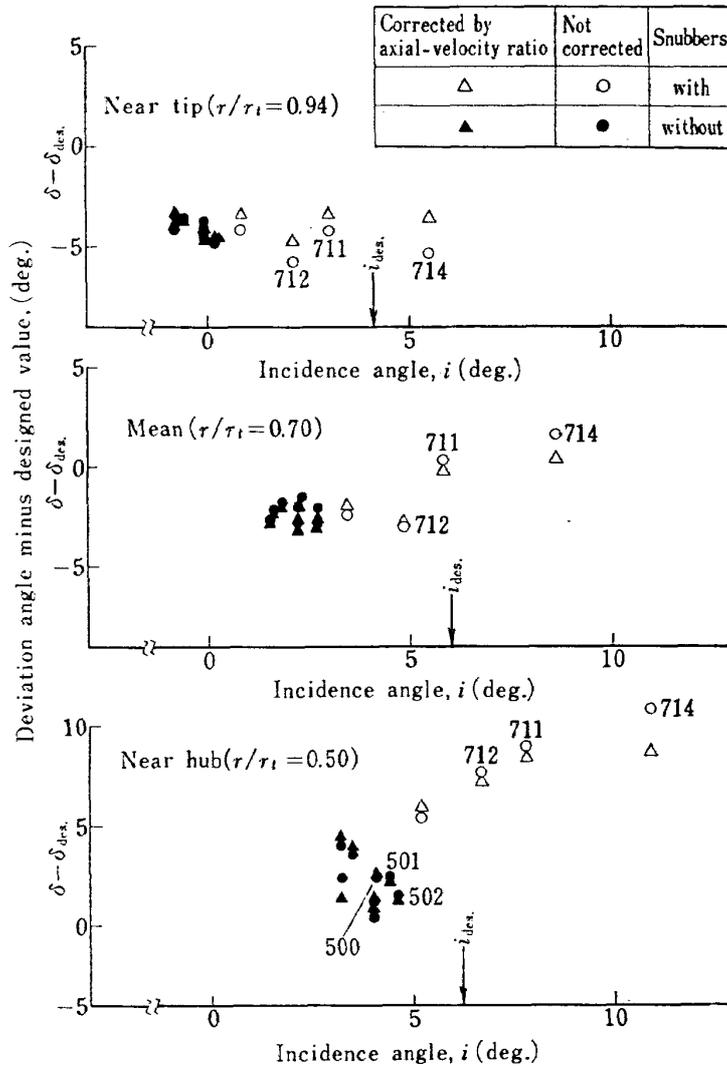


Fig. 15 Rotor deviation angles minus designed values against incidence angles at three radial sections

most striking feature is the low magnitude of loss measured in the hub region for the snubbed blades. It follows that the higher adiabatic efficiency of the main flow for the snubbed case would appear. The main reason for the decrease of loss-parameter may be attributed to the lower levels of relative Mach number as observed in the snubbed blade hub region, Fig. 16. In fact, from the authors' experience the rotor hub section of usual compressors in the aerodynamic performance has been very sensitive to the relative Mach number level to be operated.

The radial variation of total pressure is presented in Fig. 19. The similarity of no snubber case and design distribution was almost maintained, while the disturbance effect

of snubbers was noticed even in the blade tip and hub regions as previously pointed out.

In the case of the fan without snubbers, a larger amount of weight flow than the designed value resulted in the lower incidence angles entering the stator blades along the whole blade height, as shown in Fig. 20. In the fan with snubbers, positive incidence angles amounted to 10~15 degrees in the region where a wake type of decreased axial-velocity profile existed. The loss-parameter across stator blades and entering Mach number distributions are presented in Figs. 21 and 22 respectively. Higher levels of loss-parameter of the stator behind the rotor without snubbers might be due largely to the lower incidence angles plus higher inlet Mach number

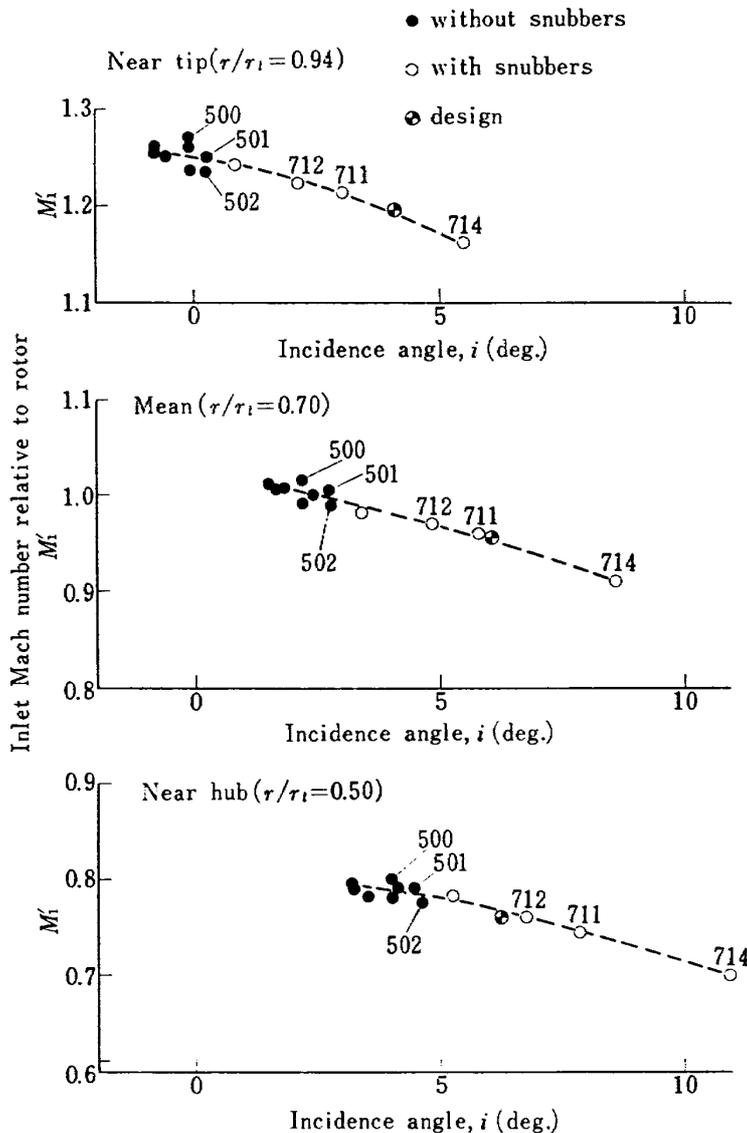


Fig. 16 Rotor inlet Mach number versus incidence angles

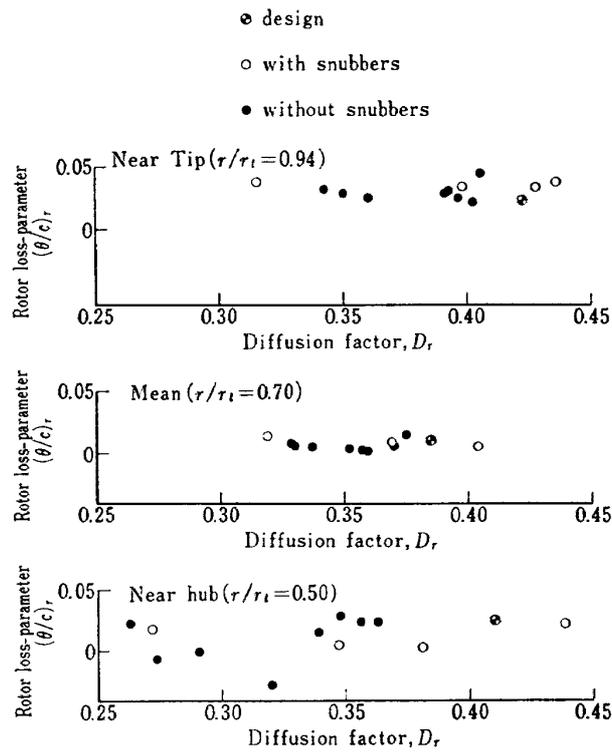


Fig. 17 Rotor loss-parameter against diffusion factor at three radial sections

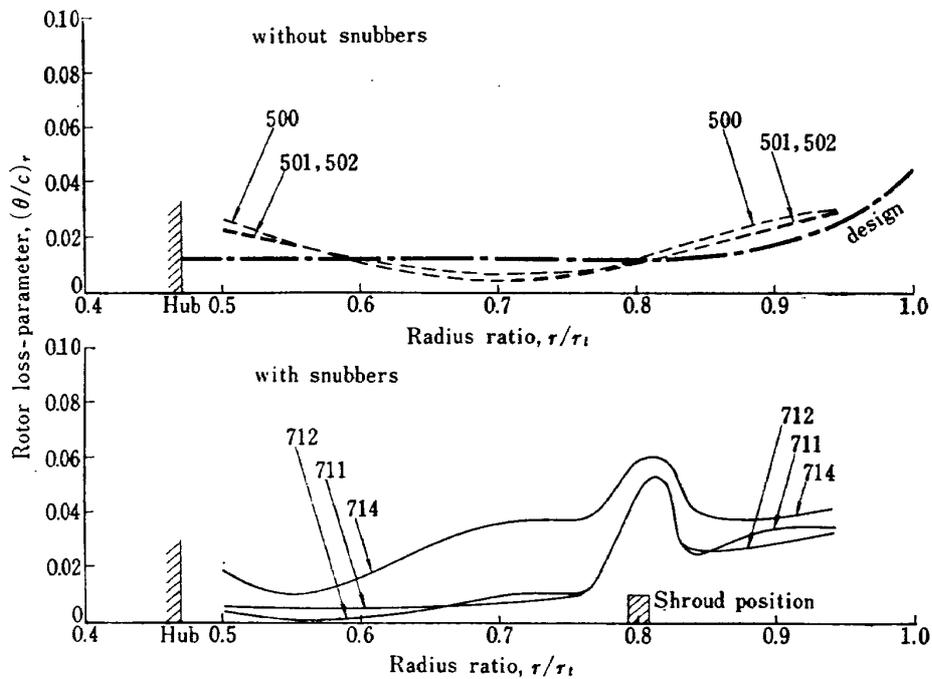


Fig. 18 Radial distribution of loss-parameter across rotor blade row

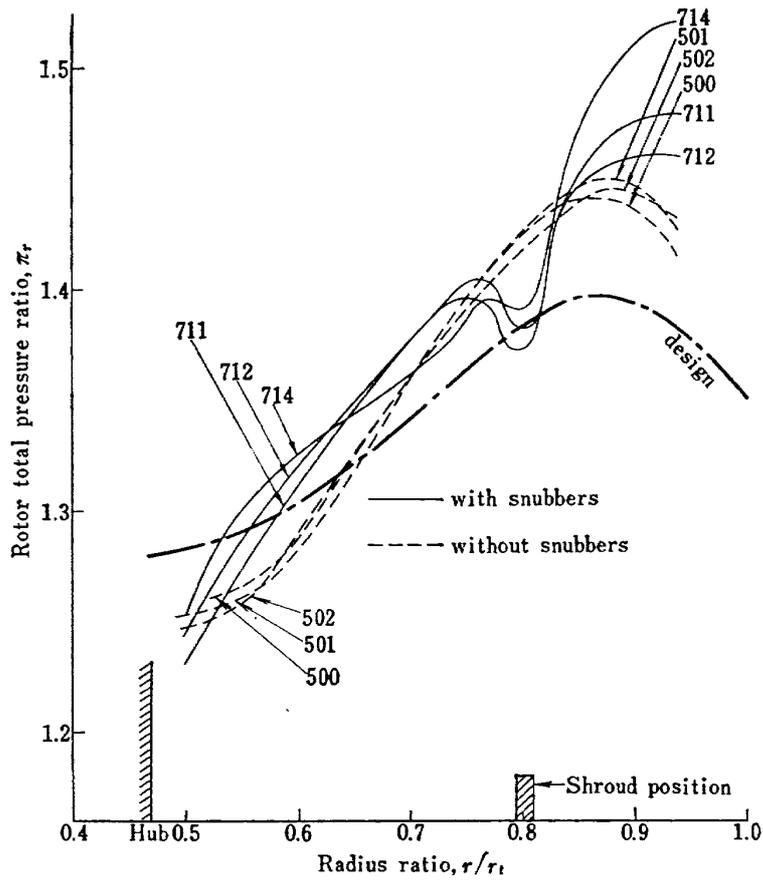


Fig. 19 Radial distribution of total pressure ratio across rotor blade row

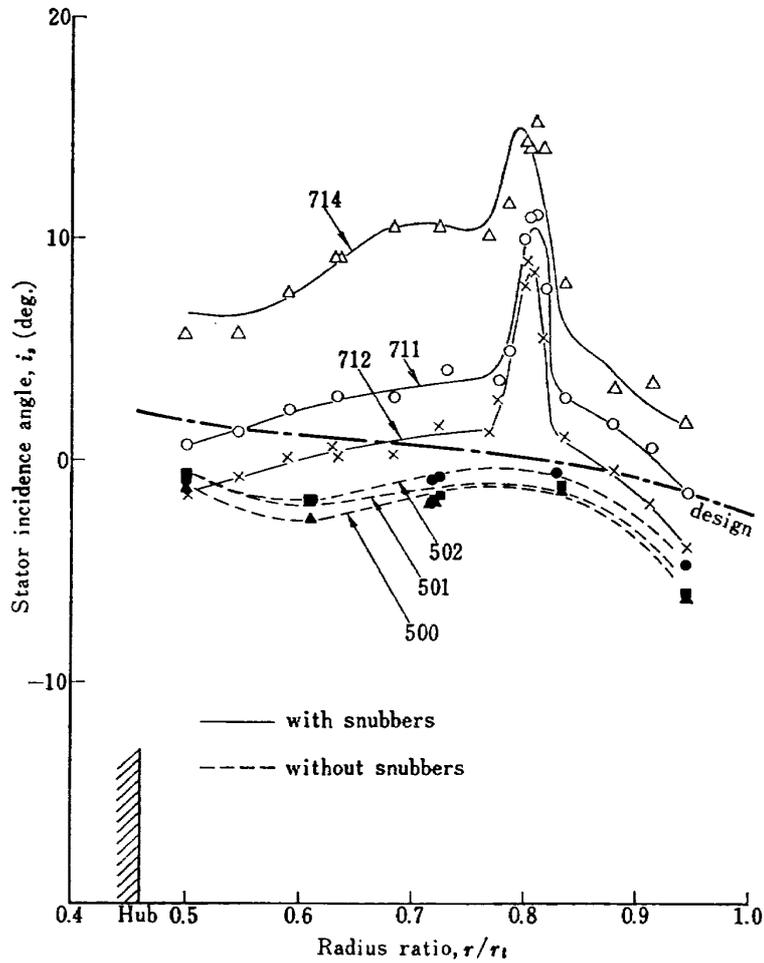


Fig. 20 Radial distribution of incidence angles entering stator blade row

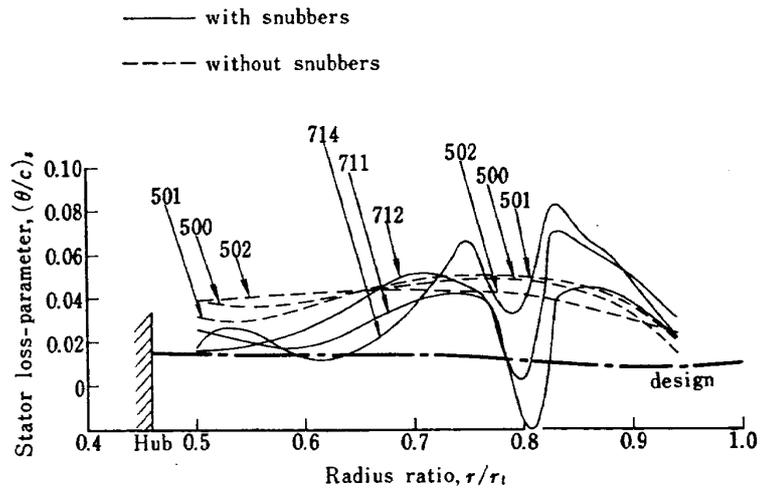


Fig. 21 Radial distribution of loss-parameter across stator blade row

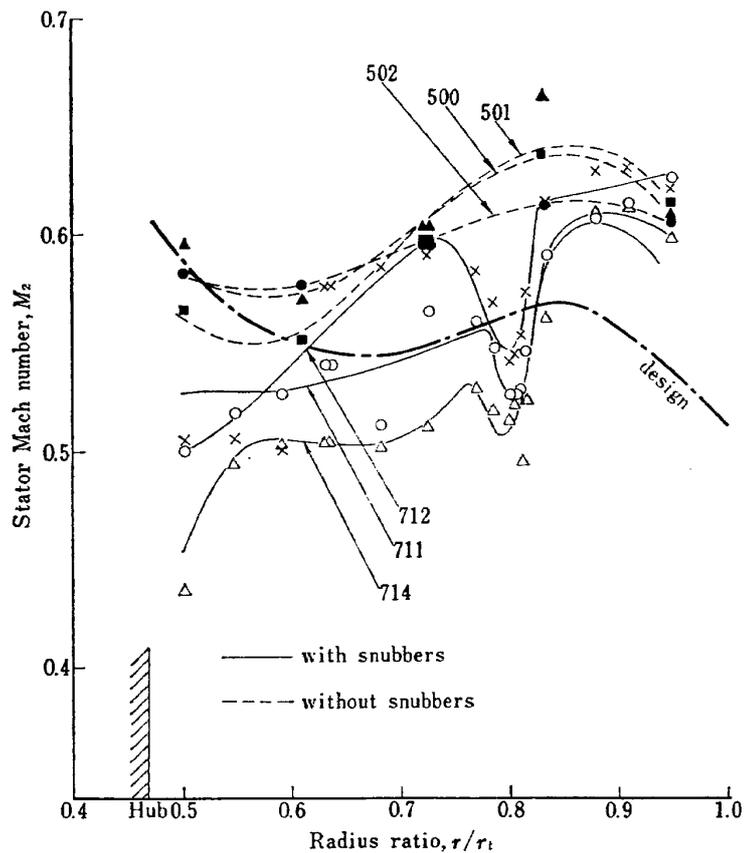


Fig. 22 Radial distribution of Mach number entering stator blade row

than the designed. While, lower levels of the stator hub loss-parameter for the fan with snubbers, contrary to our expectation, could be attributed to the lower entering Mach number due to the reduction of mass flow near the hub section. Extremely low levels of loss were observed in the middle of the blade sections influenced by the snubber wake, and maximum values of loss-parameter appeared in the regions outside the wake. As a result of some detailed check of raw data regarding the total pressure, it was evident that the spread of the wake in passing through the stator blades produced such a peculiar shape of loss-parameter. Also the appearance of negative value of loss-parameter might be interpreted as follows: eight radial survey probes situated at the exit strut were not enough, in some cases, to provide sufficient data for the wake influenced portion in the stator outlet region.

The radial variation of total pressure ratio across the rotor and stator blade rows is shown in Fig. 23. The lower pressure ratio appearing in the hub regions for both cases is

indicative of the flow underturning across the rotor blades.

To determine the characteristics of the snubber wake behind the rotor blades, the displacement  $\delta_z^*$  and momentum thickness  $\theta_z$  in axial direction can be defined by the following equations

$$\int_0^{\delta_z^*} \rho U_p r dy = \int_0^{\delta} \rho (U_p - V_z) r dy \quad (15)$$

$$\int_0^{\theta_z} \rho U_p^2 r dy = \int_0^{\delta} \rho V_z (U_p - V_z) r dy \quad (16)$$

where  $\delta$  is the radial distance covering the wake influenced portion at about 20 mm downstream of snubbers, the origin of  $y$  is the point at which the wake begins,  $U_p$  is the axial velocity that would be present with snubbers removed, and  $V_z$  is the measured axial velocity in the wake region. In actual computation, referring to Fig. 12, all measured data except for the wake influenced data points were fitted by the 4th order least-mean-squares curve which was assumed to be the analytical expression of  $U_p$  and  $\rho U_p$ . On the other hand, the 3rd order least-mean-squares curve was used for fitting the data

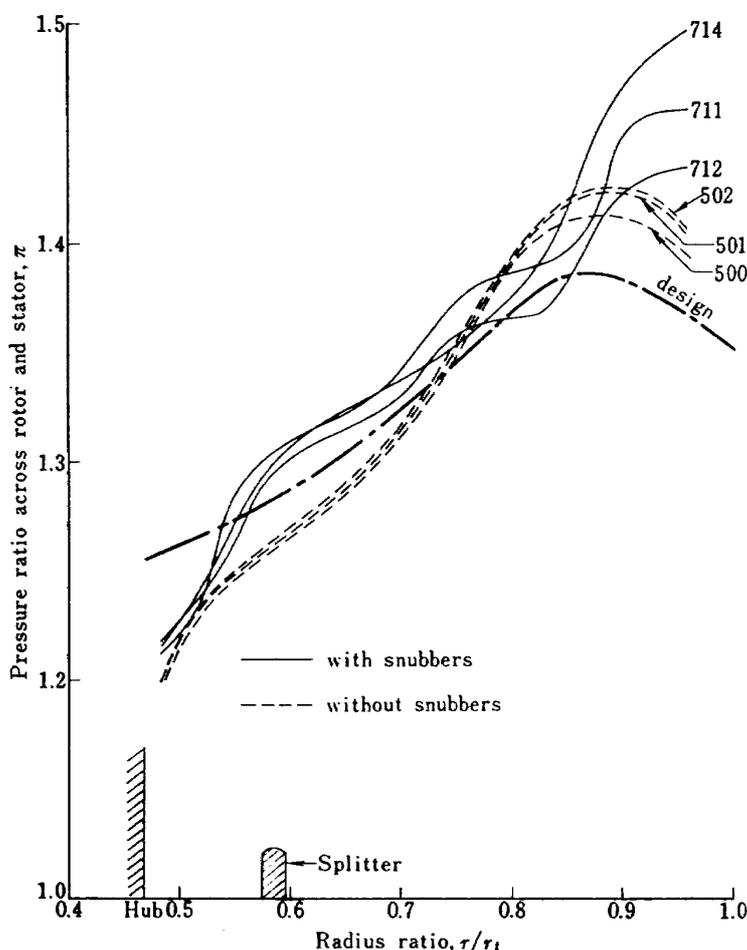


Fig. 22 Radial distribution of total pressure ratio across the fan stage

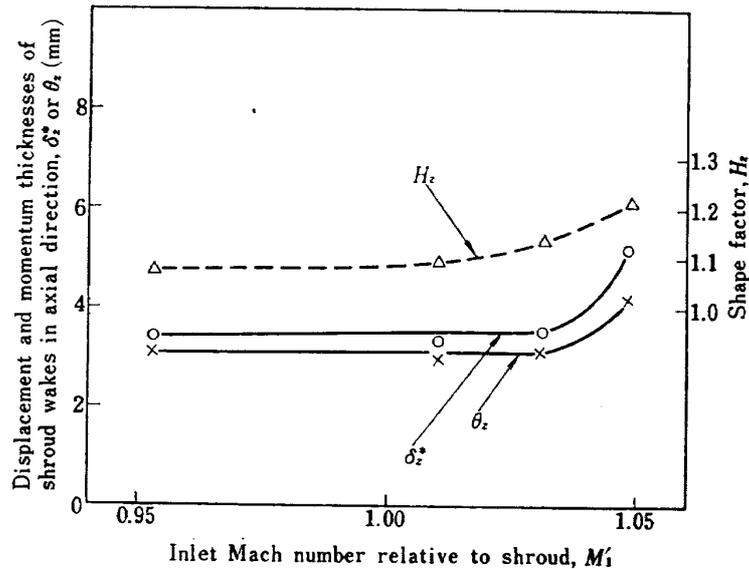


Fig. 24 Characteristics of the wakes shedding from the shroud against inlet Mach number

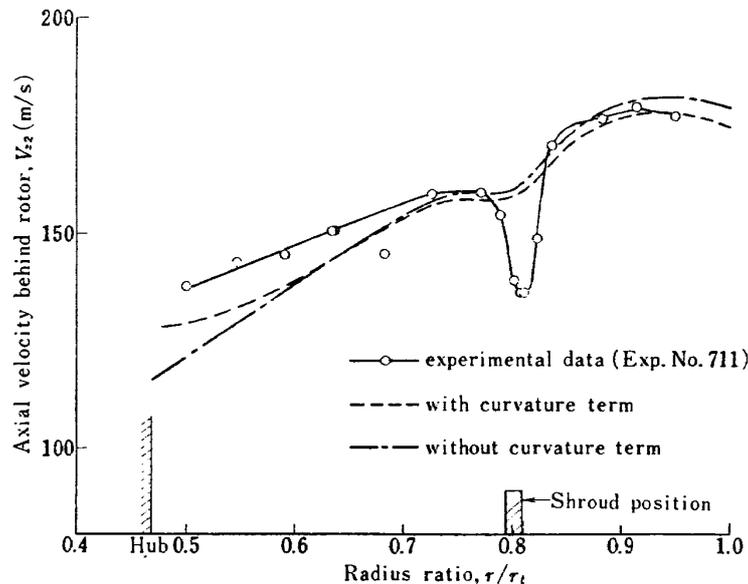


Fig. 25 Comparison of measured and computed axial-velocity distribution

points in the snubber wake region in order to make curves of  $V_z$  and  $\rho V_z$ . Hence  $\delta_z^*$  and  $\theta_z$  were obtained in solving sixth and tenth order algebraic equations regarding the values of  $\delta_z^*$  and  $\theta_z$  respectively, according to the equations (15) and (16). The results are shown in Fig. 24. The wake properties of  $\delta_z^*$ ,  $\theta_z$  appeared with consistent variation according as the increase of entering resultant Mach number relative to snubbers. It is clearly seen that the wake of snubbers having blunt leading edges increasingly deepened and widened in the inlet Mach number beyond 1.03, this value having been equivalent to an axial component of 0.66 if the swept angle of snubbers was taken into consideration.

Last of all, the radial-equilibrium equation (6) was again solved in insertion with the measured data themselves of the tangential velocity, total pressure and temperature at each survey station. An example of these calculation results is presented in Fig. 25, indicating a questionable validity of the radial-equilibrium equation neglecting the local shearing stress in the strong viscous region behind snubbers, even with the inclusion of streamline curvature, cumulative losses and total temperature gradient as accurately as possible. A result of computation with the streamline-curvature term alone suppressed was also added so that the effect of streamline movement on the axial velocity profile might

be examined. It is then hoped that this illustration would make a contribution toward the promotion of the establishment of the viscous flow analysis, for which further work is needed in the axial-flow turbomachinery [10].

## CONCLUSION

The component research of the front fans had been conducted to advance the aerodynamic design, experimental technique as well as manufacturing technology. Among them this paper treated mainly the aerodynamic aspect of the fans.

In connection with design work, a computation technique with the streamline-curvature term included was studied in some detail, with the result that the least-mean-squares curve of sixth order was most suitable for defining each streamline in 9~15 stations. Thus, the computing procedure was effectively used for evaluating the internal flow field, where a steep radial variation of temperature and pressure was inevitable at the design condition. Furthermore, the detailed analyses of survey test data for the internal flow were also made using the streamline displacement concept.

The research program fairly progressed in two steps; first, the fan without snubbers was partially investigated and next, the experiment of the snubbed fan was carried out to determine the effect of snubbers on the aerodynamic characteristics. As a result, the over-all performance for both cases turned out to be better than expected; over-turning of the rotor blade mean and tip sections produced higher values of total pressure ratio and weight flow. The main source for low levels of the rotor deviation angles in the mean and tip regions was the untwist of the rotor blades due to the centrifugal force. Therefore, the deviation angles indicated should be considered as the apparent values, which will need some correction in the future. Nevertheless, it was confirmed experimentally that the front fan with snubbers could gain a pressure ratio of 1.38, weight flow rate 100 kg/s and adiabatic efficiency of 84 per cent at a rotor tip peripheral speed of 380 m/s.

A thorough comparison of the radial survey data revealed that the disturbance due to the presence of the snubbers was not only confined to the narrow portion of the snubber wake, but extended over the other sections of the rotor blades. It may be said that since

the flow between blade rows is being governed by a combination of radial equilibrium and continuity equations, a local disturbance produced at the part span will upset the radial balance designed for no snubber fan, and a new equilibrium will be established in the spoiled flow field. In fact, the aerodynamic performance of rotor hub section was severely influenced by snubbers.

There are still left some studies of determining aerodynamic performance and snubber retaining-effectiveness in a flow field subjected to various inlet distortions. Furthermore, the development of more powerful means for abating fan noise would be sincerely hoped.

To boost the lower pressure ratio in the hub region of the fan, a study of small multi-stage compressor rotating simultaneously with the front fan shaft is now in progress aiming at practical application to a fanned jet-engine.

## ACKNOWLEDGEMENTS

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the root of  $J_1(j_n)=0$  ( $n=1, 2, \dots$ ). In the case of  $m_0/U=0.2$  the streamline movement is visualized in Fig. (A-1).

On the other hand, the same flow corresponding to  $m_0/U=0.2$  was solved by making use of streamline curvature technique in which the streamline  $\psi=0$  could be replaced by a wall boundary. In this case the radial equilibrium equation (6) reduced to,

$$V_z^2 = c_1^2 e^{\int \frac{2}{r_c \cdot \cos^2 \lambda} dr} \quad (A-4)$$

Then, as indicated in Fig. (A-1), 9 sections were placed in axial direction and the least-mean-squares curve of 6th order was used to define the streamline.

The computational result revealed that the agreement of both exact solution and streamline-curvature velocity-profile was fairly good

APPENDIX (A)

The stream function  $\psi$  for the incompressible, axi-symmetric flow may satisfy the equation

$$\frac{\partial^2 \psi}{\partial z^2} + \frac{\partial^2 \psi}{\partial r^2} - \frac{1}{r} \frac{\partial \psi}{\partial r} = 0 \quad (A-1)$$

The incompressible flow around a point source of the strength  $m_0$  at  $z=r=0$ , plus a uniform velocity  $U$  in an infinitely long duct of constant diameter was expressed by Levine [9] in the following form,

$$\frac{\psi}{U} = -\frac{m_0}{U} \nu^2 - 2 \frac{m_0}{U} \nu \sum_{n=1}^{\infty} \frac{e^{j_n Z}}{j_n \cdot J_0^2(j_n)} \times J_1(j_n \nu) + \frac{\nu^2}{2}, \quad (Z < 0) \quad (A-2)$$

$$\frac{\psi}{U} = \frac{m_0}{U} \nu^2 + 2 \frac{m_0}{U} \nu \sum_{n=1}^{\infty} \frac{e^{-j_n Z}}{j_n \cdot J_0^2(j_n)} \times J_1(j_n \nu) + \frac{\nu^2}{2} - 2 \frac{m_0}{U}, \quad (Z > 0) \quad (A-3)$$

where  $\nu=r/r_t$ ,  $Z=z/r_t$  and  $J_n$  means the first kind Bessel function of  $n$ th order, and  $j_n$  is

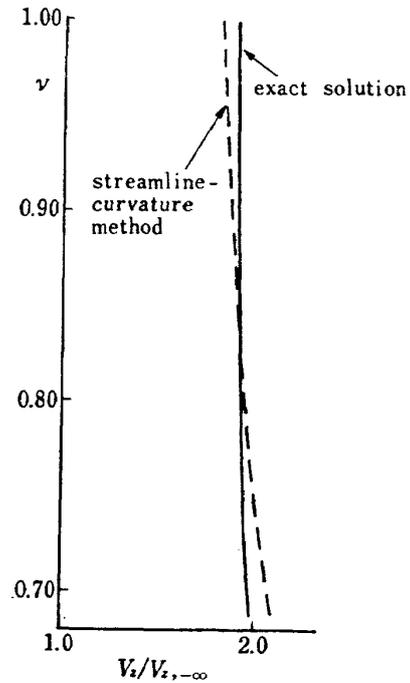


Fig. A-2 Comparison of axial-velocity calculated using streamline curvature method and exact solution at section ⑦.

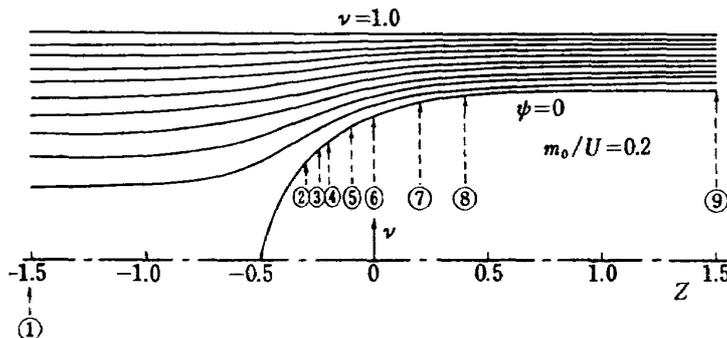


Fig. A-1 Streamlines obtained from exact solution

at sections 7 and 8, are Fig. (A-2). Nevertheless, the remarked difference between both profiles was seen at sections 2 and 3 where the effect of stagnation or singular point might appear strongly. It then led to a tentative conclusion that the streamline curvature com-

puting procedure might have capability of giving a reliable solution for the flow in the region not close to a stagnation point or in a boundary wall without extremely small radius of curvature.

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