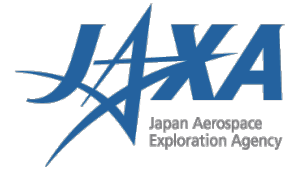


Fifth Aerodynamics Prediction Challenge (APC-V)
1 July 2019



2次精度低散逸スキームと直交ハイブリッド格子による30P30Nの高解像度空力音響解析

Aeroacoustic Simulation of 30P30N Airfoil
using Second-Order Low-Dissipation scheme
on Cartesian Hybrid Grid

Outline

- Background & Objective
- Computational Setups
 - Flow solver
 - Computational grids
 - Reduced dissipation approach
- Computational Results
- Summary

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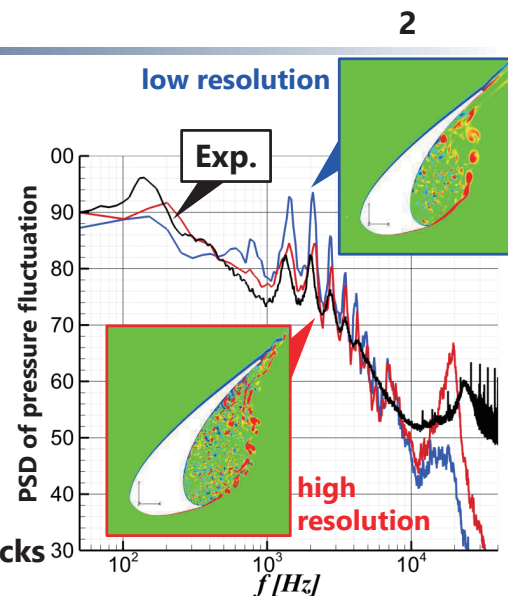
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Background & Objective: Numerical simulation of slat noise

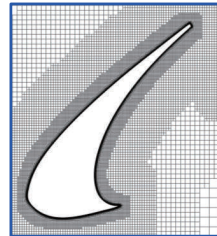
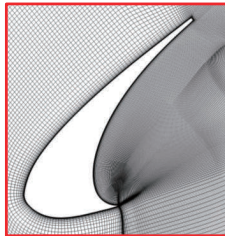
- Slat has been recognized as the primal source of airframe noise
 - Challenges in slat noise simulation
 1. To resolve shear layer from the slat cusp
 - Insufficient resolution leads to **overestimation of narrow-band peaks**
 2. To treat complex geometries such as slat tracks
 - **Unstructured grid** is promising due to its grid flexibility
- Improvement of numerical resolution on unstructured grid is desirable



Background & Objective: Reduced dissipation approach

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- **High-resolution by reducing numerical dissipation in discretization scheme**
- **Past studies on reduced dissipation approach**
 - Large Eddy Simulation (LES) around an airfoil ^[1]
 - **Airframe noise analyses** by Delayed Detached Eddy Simulation (DDES)
 - **Flap side edge** ^[2]
 - **Landing gear** ^[3]
 - DDES around a cylinder with a new approach proposed in JAXA ^[4]
- **Objective**
 - To apply a **reduced dissipation approach** to our **unstructured CFD solver**, and assess it in the aeroacoustic simulation for the slat noise on both **structured-type grid** and **unstructured (Cartesian hybrid) grid**



Computational Setups: Flow solver

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- **FaSTAR (unstructured CFD code in JAXA)**



Governing equation	3D compressible Navier-Stokes equations
Method	Cell-centered finite volume method
Turbulence model	Delayed Detached Eddy Simulation based on Spalart-Allmaras (SA-noft2-R)
Transition model	None (fully turbulent)

- **Numerical Schemes**

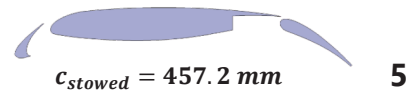
Discretization of inviscid term	SLAU (Simple Low-dissipation AUSM) ^[1] with reduced dissipation approach
Reconstruction method	2 nd order Unstructured MUSCL ^[2]
Gradient calculation	GLSQ (Green-Gauss/Weighted-Least-Square hybrid) ^[3]
Time integration	LU-SGS with 2 nd order dual-time stepping method

^[1] Shima et al., AIAA Journal 49 (8) pp. 1693-1709, 2011.

^[2] Hishida et al., JAXA-SP-10-012.

^[3] Shima et al., AIAA Journal 51 (11) pp. 2740-2747, 2013.

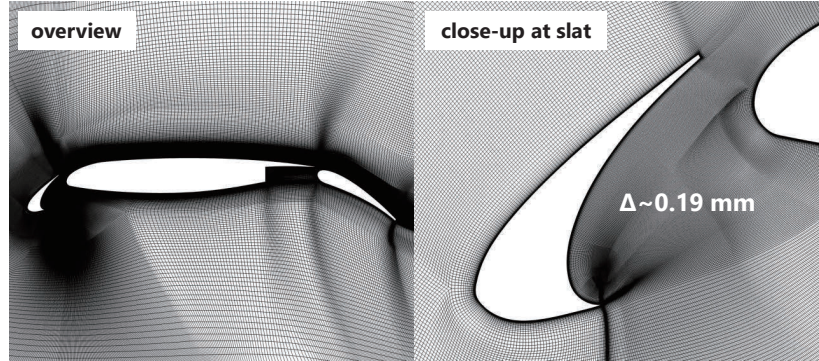
Computational Setups: Computational grids



- Both **structured-type grid** and **unstructured (BOXFUN) grid** are used

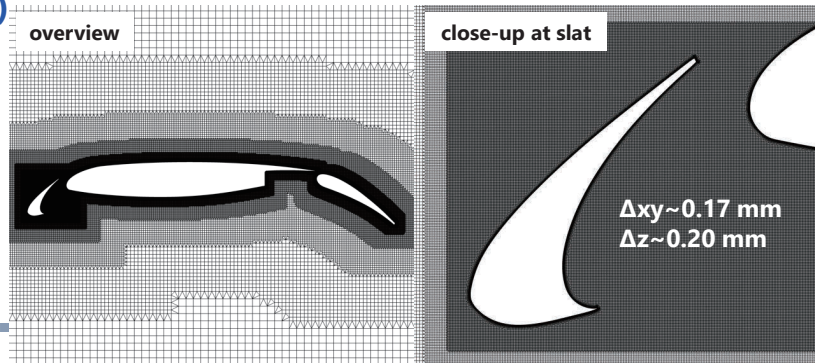
Structured-type

- provided; fine (L3)
- cubic grids in slat cove
- $L_z = 0.11C_{stowed}$
- 70.4** million grid points



Unstructured (BOXFUN)

- background Cartesian + hexahedral layer
- cubic grids in slat cove
- $L_z = 0.11C_{stowed}$
- 111** million grid points



Computational Setups: Reduced dissipation approach (1/3)

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Discretization scheme for inviscid term: SLAU [1]

- $\tilde{\mathbf{F}} = \frac{\dot{m} + |\dot{m}|}{2} \Phi^+ + \frac{\dot{m} - |\dot{m}|}{2} \Phi^- + \tilde{p} \mathbf{N}$

momentum flux (incl. numerical dissipation)
pressure flux (incl. numerical dissipation)

$$\tilde{p} = \frac{p^+ + p^-}{2} + \frac{\beta_+ + \beta_-}{2} (p^+ - p^-) + (1 - \chi)(\beta_+ + \beta_- - 1) \frac{p^+ + p^-}{2}$$

High-Resolution SLAU (HR-SLAU) [2]

- $\tilde{p} = \frac{p^+ + p^-}{2} + \frac{\beta_+ + \beta_-}{2} (p^+ - p^-) + \gamma_{HR} (1 - \chi)(\beta_+ + \beta_- - 1) \frac{p^+ + p^-}{2}$
- $\gamma_{HR} = 1$ if the numerical dissipation is needed for computational stability
- $\gamma_{HR} = 0$ to improve the numerical resolution
- γ_{HR} is determined by the **sign-based wiggle detector** [3]

In this study, reduced dissipation is applied based on the approach of HR-SLAU:

- The **numerical dissipation in the momentum flux** is also reduced
- Sign-based wiggle detector** is replaced by **diffusion-based wiggle detector** [4]

[1] Shima et al., AIAA Journal 49 (8), pp. 1693-1709, 2011.

[2] Kitamura, K., Computers & Fluids 126, pp. 41-57, 2016.

[3] Winkler, C. et al., AIAA Paper 2012-0570, 2012.

[4] Ikeda, T. et al., AIAA Paper 2018-3784, 2018.

Computational Setups: Reduced dissipation approach (2/3)

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■ High-Resolution SLAU (HR-SLAU)

- $\tilde{\mathbf{F}} = \frac{\dot{m}+|\dot{m}|}{2} \Phi^+ + \frac{\dot{m}-|\dot{m}|}{2} \Phi^- + \tilde{p}\mathbf{N}$
- $\tilde{p} = \frac{p^++p^-}{2} + \frac{\beta_++\beta_-}{2}(p^+ - p^-) + \gamma_{HR}(1-\chi)(\beta_+ + \beta_- - 1)\frac{p^++p^-}{2}$

■ γ_{HR} is introduced into the definition of χ_{UMUSCL} in U-MUSCL

- $\chi_{UMUSCL} = 1 - 0.5\gamma_{HR}$
 - $\chi_{UMUSCL} = 0.5$ if $\gamma_{HR} = 1 \Rightarrow$ a third-order variable extrapolation to the cell face
 - $\chi_{UMUSCL} = 1$ if $\gamma_{HR} = 0 \Rightarrow$ the cell interface is the arithmetic average between cells
 $\Rightarrow q^+ = q^- = \frac{1}{2}(q_{j+1} + q_j)$

■ Thus, $\gamma_{HR} = 0$ gives the following formulation without numerical dissipation

- $\tilde{\mathbf{F}} = \dot{m} \cdot \frac{1}{2}(\Phi_{j+1} + \Phi_j) + \tilde{p}\mathbf{N}$
- $\tilde{p} = \frac{1}{2}(p_{j+1} + p_j)$

■ $\gamma_{HR} = 1$ recovers the original SLAU scheme

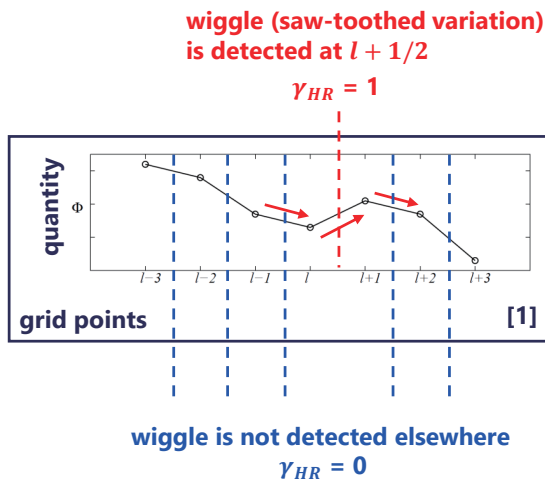
- $\tilde{\mathbf{F}} = \frac{\dot{m}+|\dot{m}|}{2} \Phi^+ + \frac{\dot{m}-|\dot{m}|}{2} \Phi^- + \tilde{p}\mathbf{N}$
- $\tilde{p} = \frac{p^++p^-}{2} + \frac{\beta_++\beta_-}{2}(p^+ - p^-) + (1-\chi)(\beta_+ + \beta_- - 1)\frac{p^++p^-}{2}$

Computational Setups: Reduced dissipation approach (3/3)

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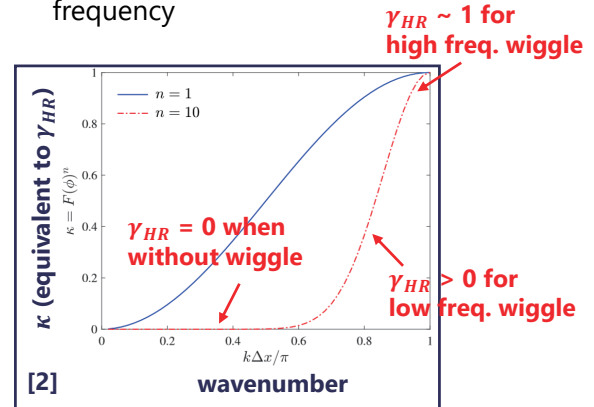
■ Sign-based wiggle detector ^[1]: binary function that returns 0 or 1

- $\gamma_{HR} = 1$ if a wiggle is detected
- Otherwise, $\gamma_{HR} = 0$



■ Diffusion-based wiggle detector ^{[2][3]}: continuous function that returns value from 0 to 1

- $0 \leq \gamma_{HR} \leq 1$ according to the wiggle frequency



- $n = 10$ is employed according to the previous study in JAXA ^[2]

[1] Dahlstroem, AIAA Paper 2003-0776, 2003.

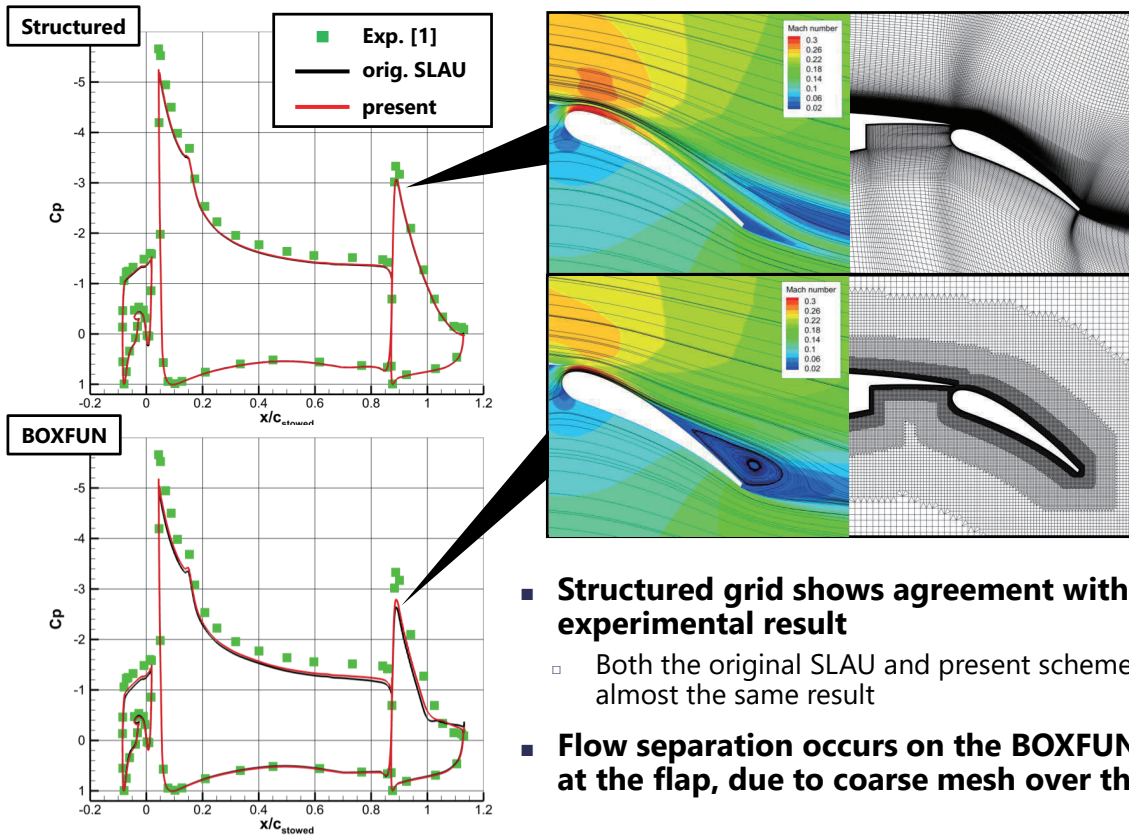
[2] Ikeda, T. et al., AIAA Paper 2018-3784, 2018.

[3] Shima, E., AIAA Paper 2013-2696, 2013.

[1] Murayama, M. et al., AIAA Paper 2018-3460, 2018.

Time-averaged surface C_p distribution

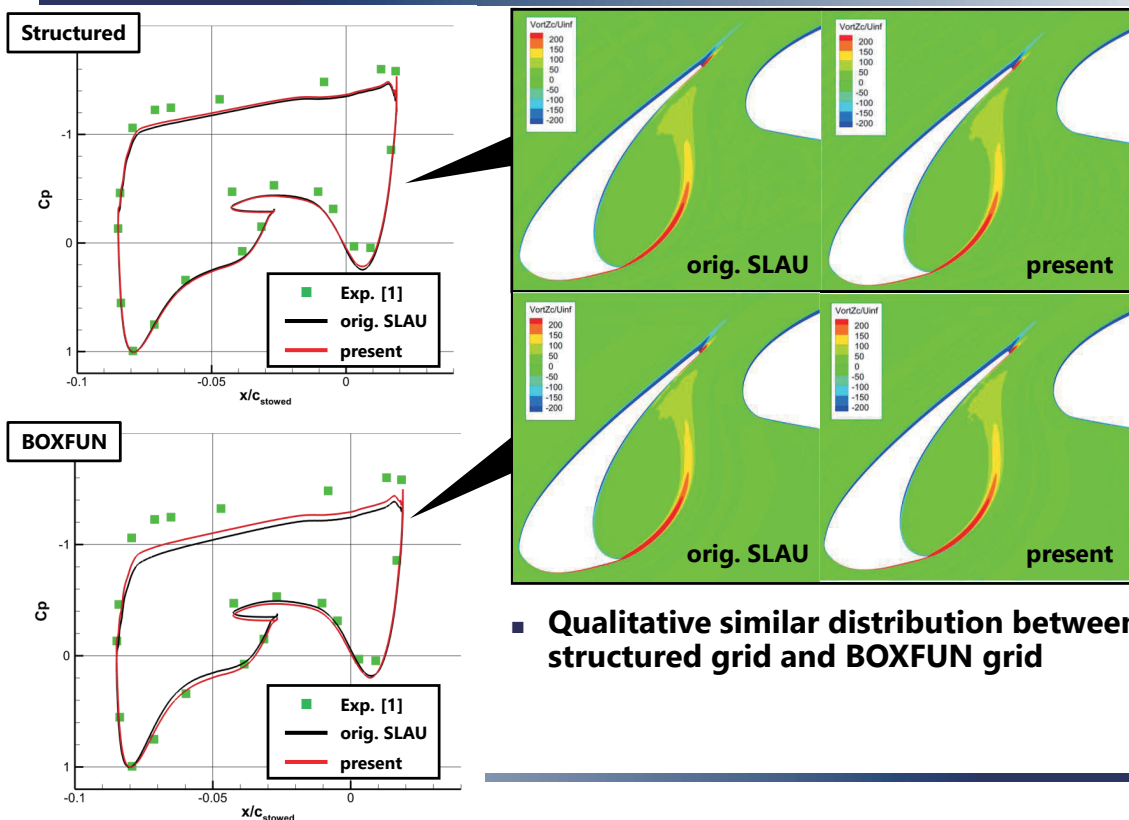
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[1] Murayama, M. et al., AIAA Paper 2018-3460, 2018.

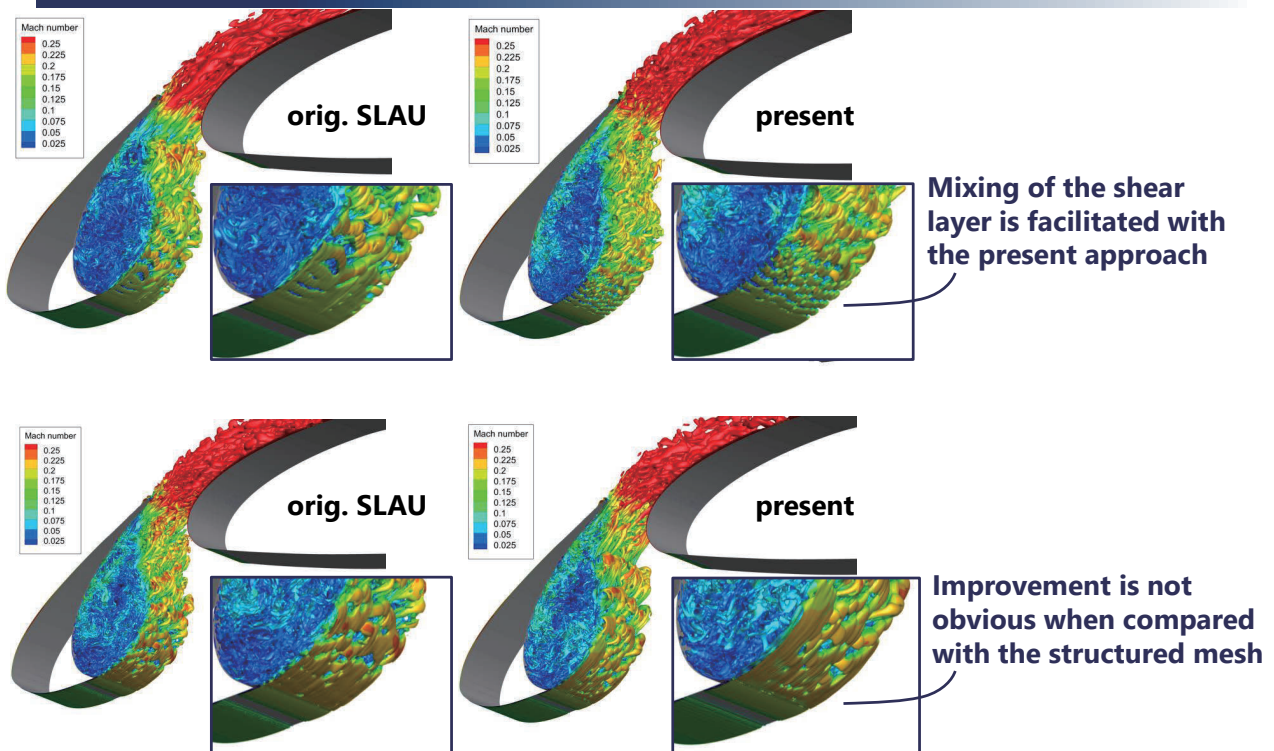
Time-averaged Ω_z distribution around slat

10



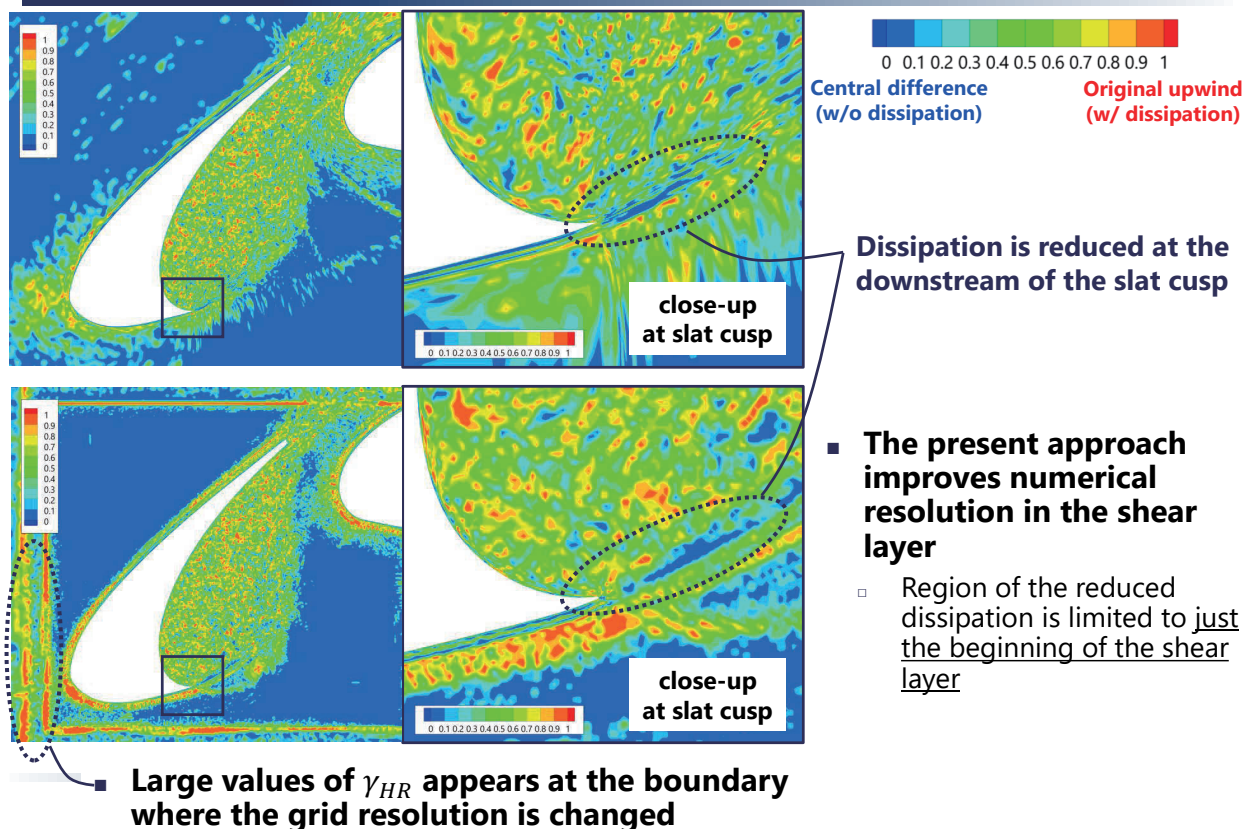
Q-isosurface (colored by Mach number) (upper: structured grid, lower: BOXFUN grid)

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Instantaneous snapshot of γ_{HR} (upper: structured grid, lower: BOXFUN grid)

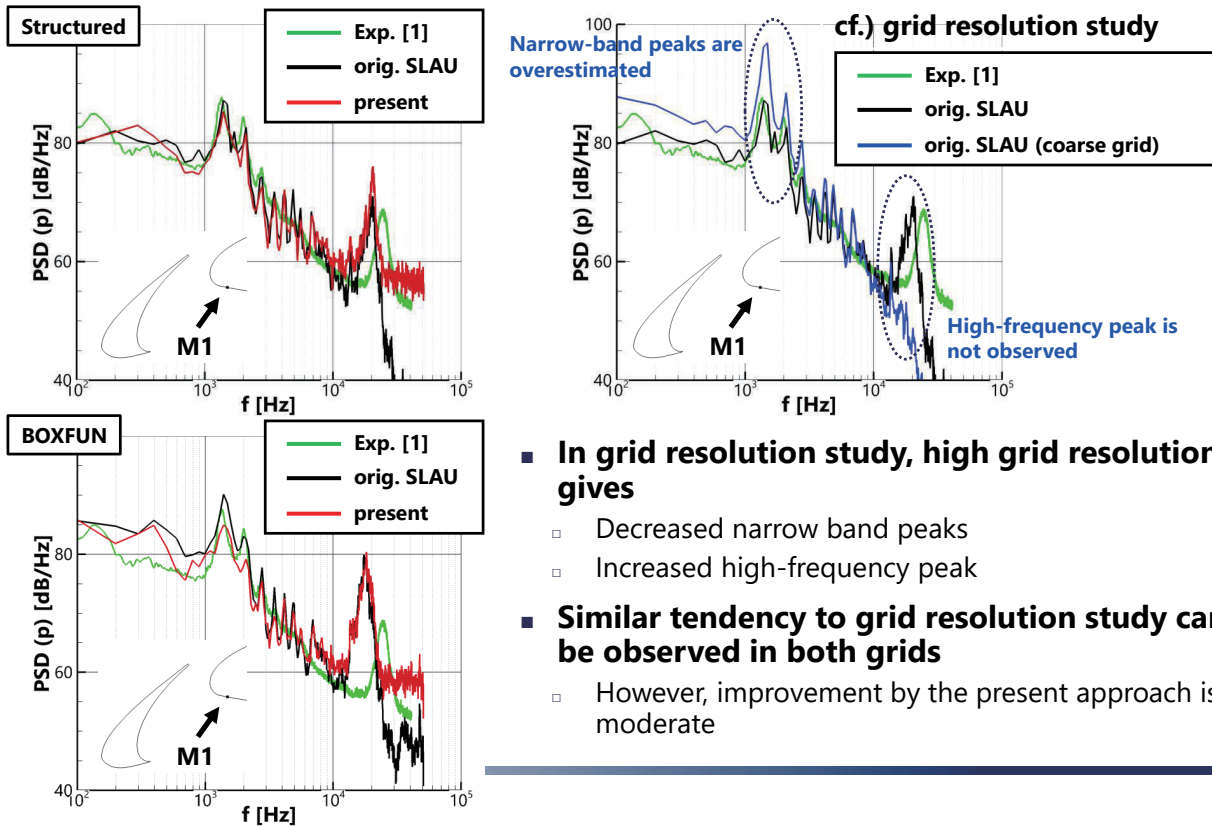
12



[1] Murayama, M. et al., AIAA Paper 2018-3460, 2018.

PSD of pressure fluctuation @ M1

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Summary

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- The reduced dissipation approach has been applied in an unstructured CFD code, and assessed in the slat noise simulation of the 30P30N airfoil
- The present approach improves numerical resolution at the beginning of the shear layer
 - region of the reduced dissipation is limited to the beginning of the shear layer
- The present approach shows similar tendency to grid resolution study in PSD of pressure fluctuation, which indicates improvement of numerical resolution
 - improvement by the present approach is moderate
- On the BOXFUN grid,
 - flow separation occurs on the flap due to coarse mesh over the flap
 - large values of γ_{HR} appears at the boundary where the grid resolution changes